



Automatic Phase Detection and Structure Extraction of Parallel Applications

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2012

Outline



- **Background and Context.**
- Automated Phase Detection of MPI Applications through Spectral Analysis.
- Other applications of Spectral Analysis.
 - Multiplexing Hardware Counters.
 - Detecting Representative Sections for Architecture Simulation.
- Conclusions.

Performance Tools Overview



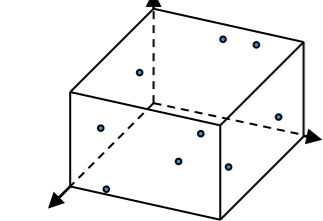
Acquisition

Presentation

Sampling land

Profile land

Processors/processes



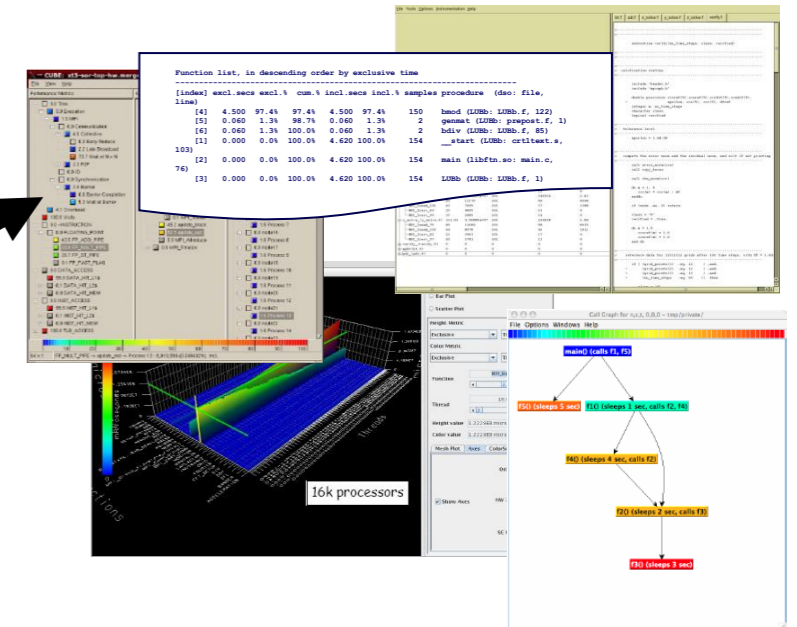
Time

Event types

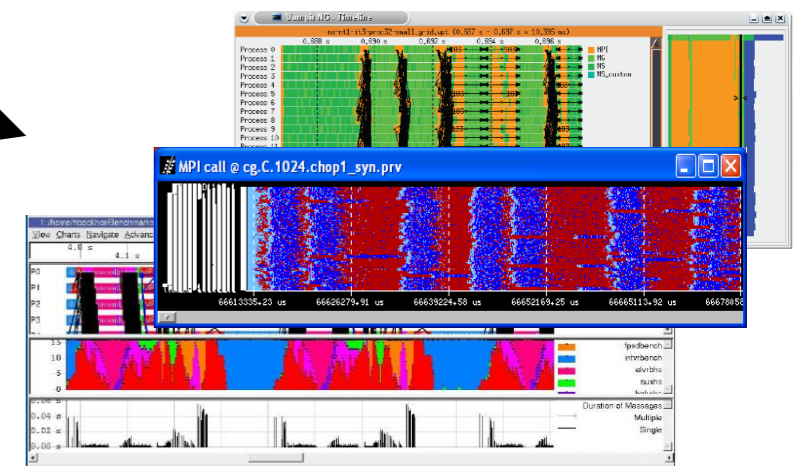
Instrumentation land

$$\int_a^b f(t) dt$$

$$f(t, p)$$



Timeline land



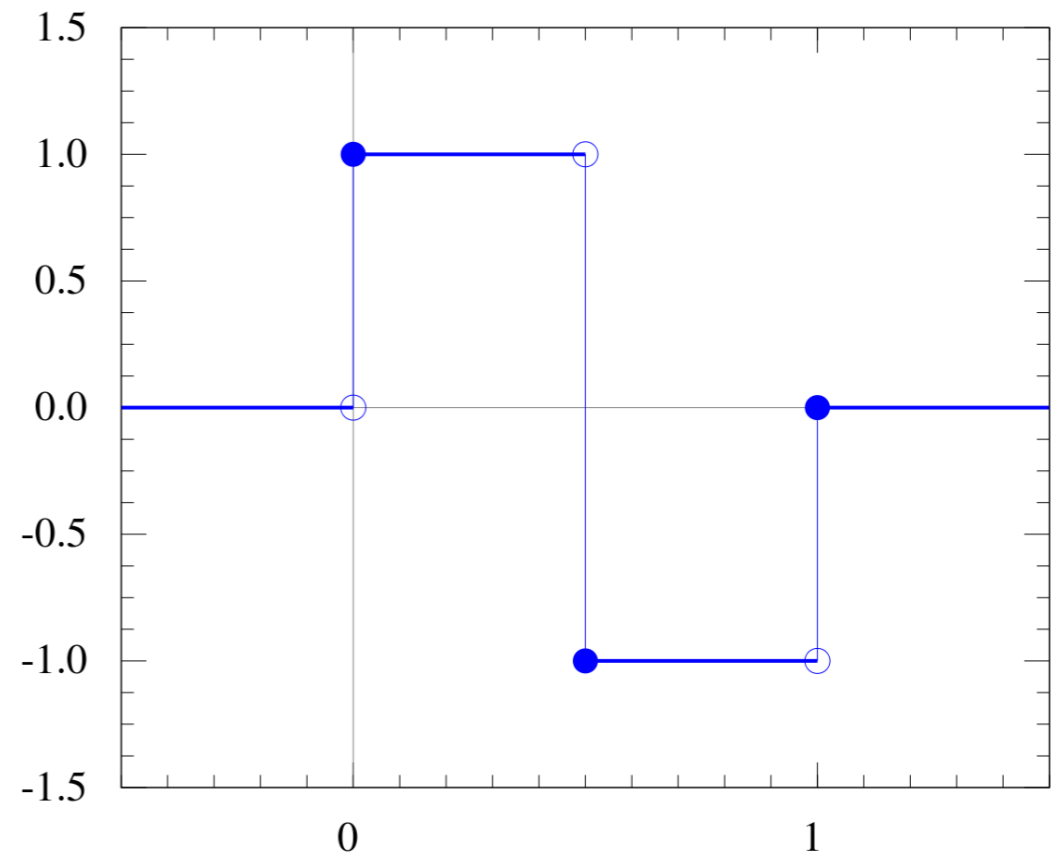
Signal Processing Overview. Wavelet Transform.

- Applied in many topics: image compression, sensor networks, signal processing
- It gives information not only about frequencies but also about their physical location within signal's domain.
- Definition:

$$x(t) = \sum_{k=-\infty}^{\infty} \sum_{n=-\infty}^{\infty} d_{k,n} \psi_{k,n}(t)$$

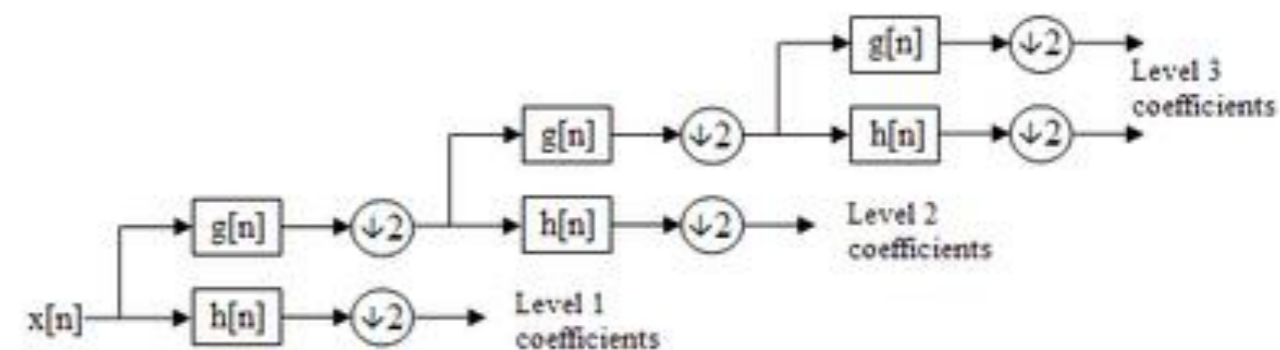
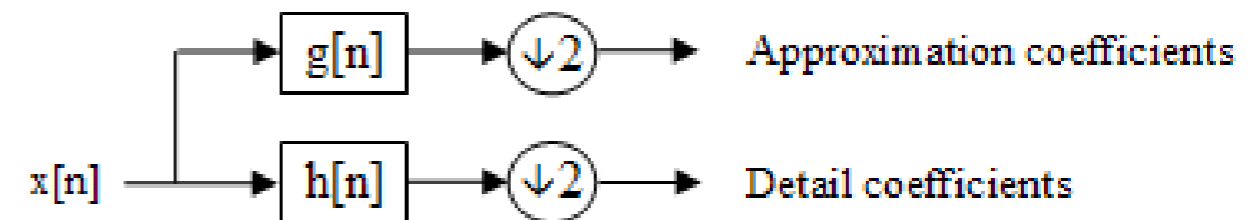
$$d_{k,n} = \langle \psi_{k,n}(t), x(t) \rangle = \int_{-\infty}^{\infty} \psi_{k,n}(t) x(t) dt$$

$$\psi_{k,n} = 2^{-\frac{k}{2}} \psi(2^{-k}t - n)$$



Signal Processing Overview. Fast Wavelet Transform.

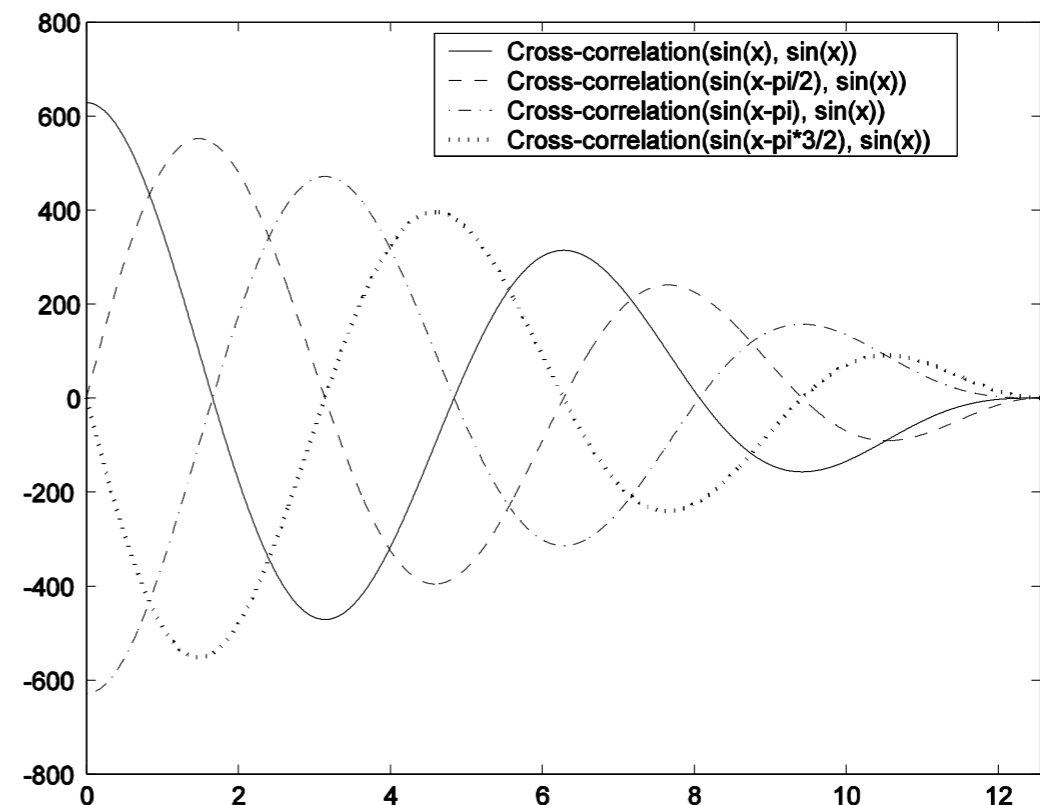
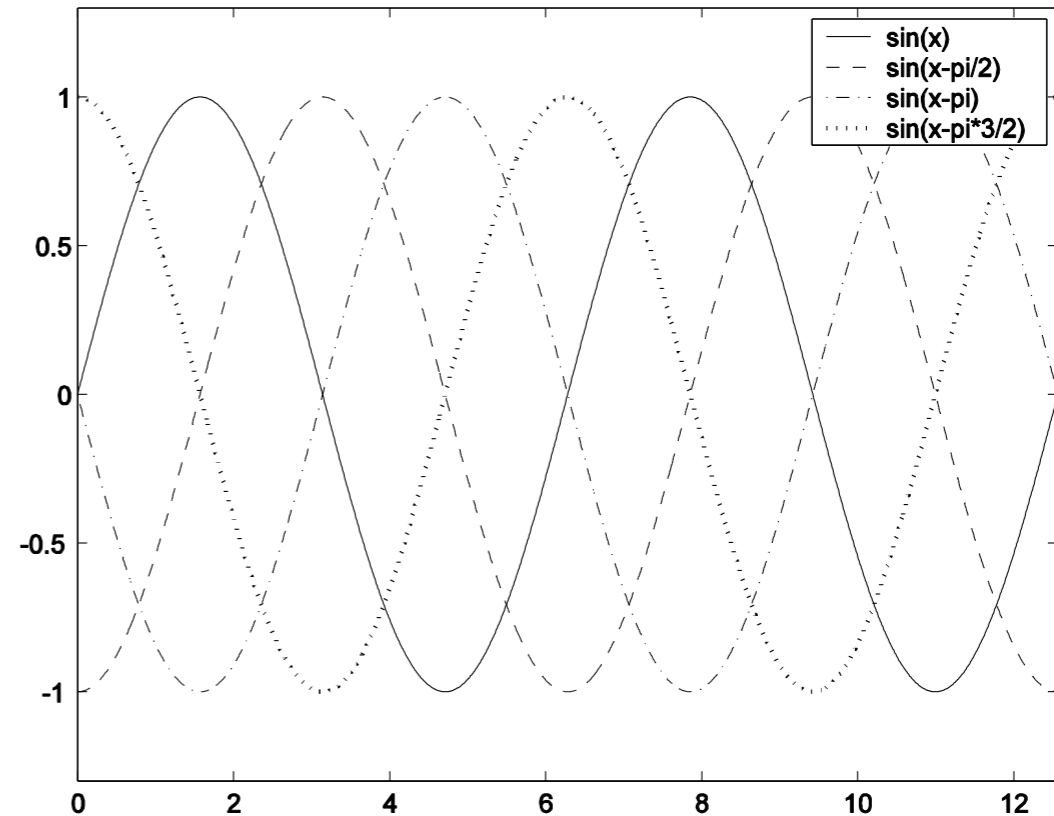
- It is not possible to obtain directly the wavelet transform coefficients.
- Given a signal, we sample it obtaining $N=2^J$ points, using a sampling frequency α .
- From this information we obtain J sets of coefficients:
 - $N/2$ coefficients containing information about $[\alpha/2, \alpha/4]$
 - $N/4$ coefficients containing information about $[\alpha/4, \alpha/8]$
 - ...
- We can detect high-frequency regions of signals.



Signal Processing Overview. Cross-correlation

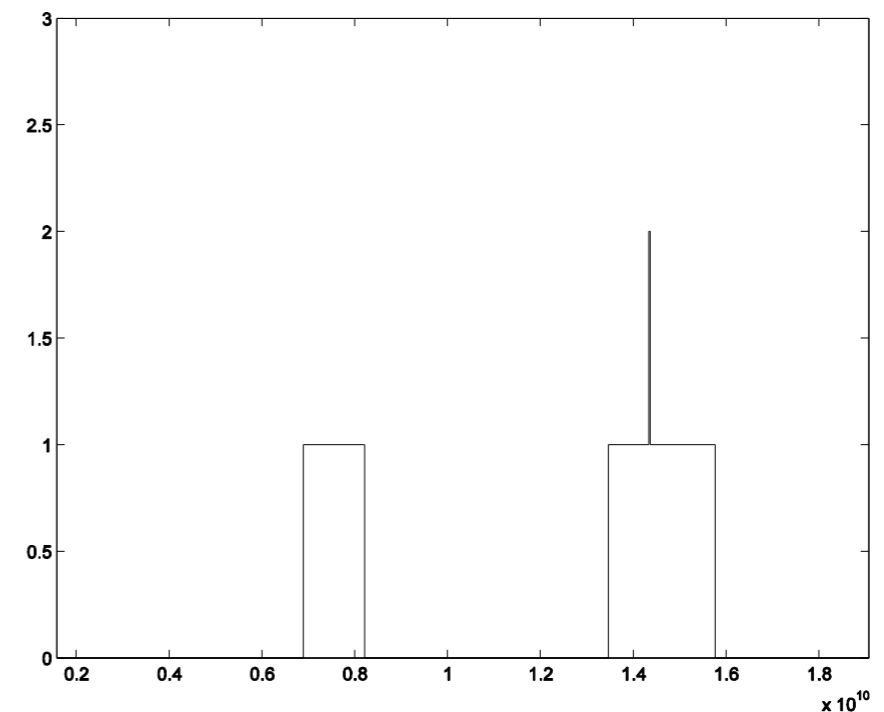
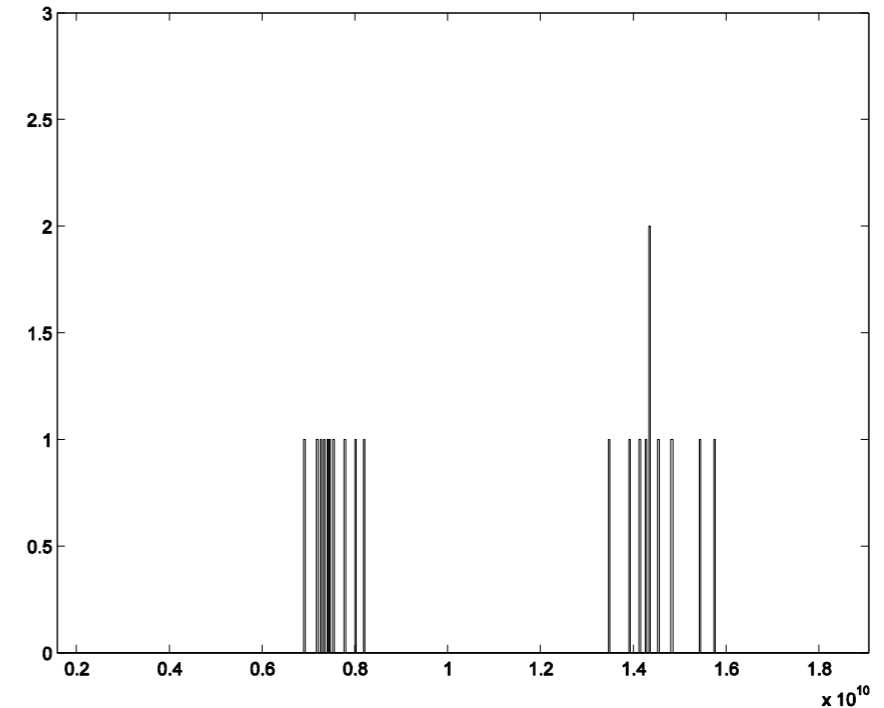
- It is used to evaluate the degree of similarity between two signals.
- It reaches high values at the points where the similarity between two signals is also high.
- Definition:

$$(f \star g)[n] = \sum_{m=-\infty}^{\infty} f^*[m] g[n + m]$$



Signal Processing Overview. Mathematical Morphology.

- Its main focus is to extract automatically useful information from images or signals.
- It has two main operators: Erosion and Dilation
- From these two, we can define interesting operations, such as Opening and Closing.
- Opening eliminates small regions where input signals are different from zero.
- Closing unifies non-zero regions of the input signals.



Outline

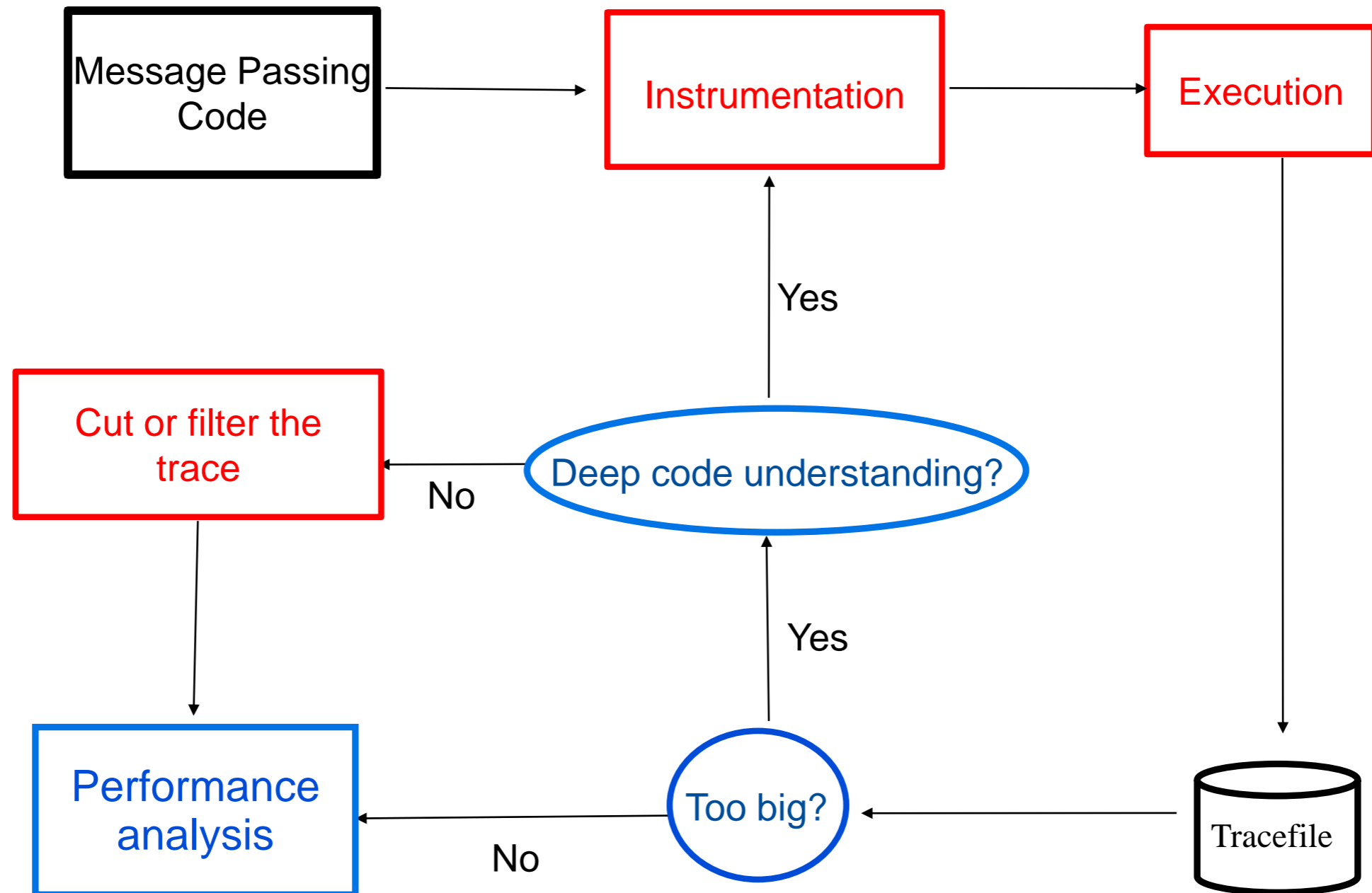


- Background and Context.
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- Conclusions.

Motivation



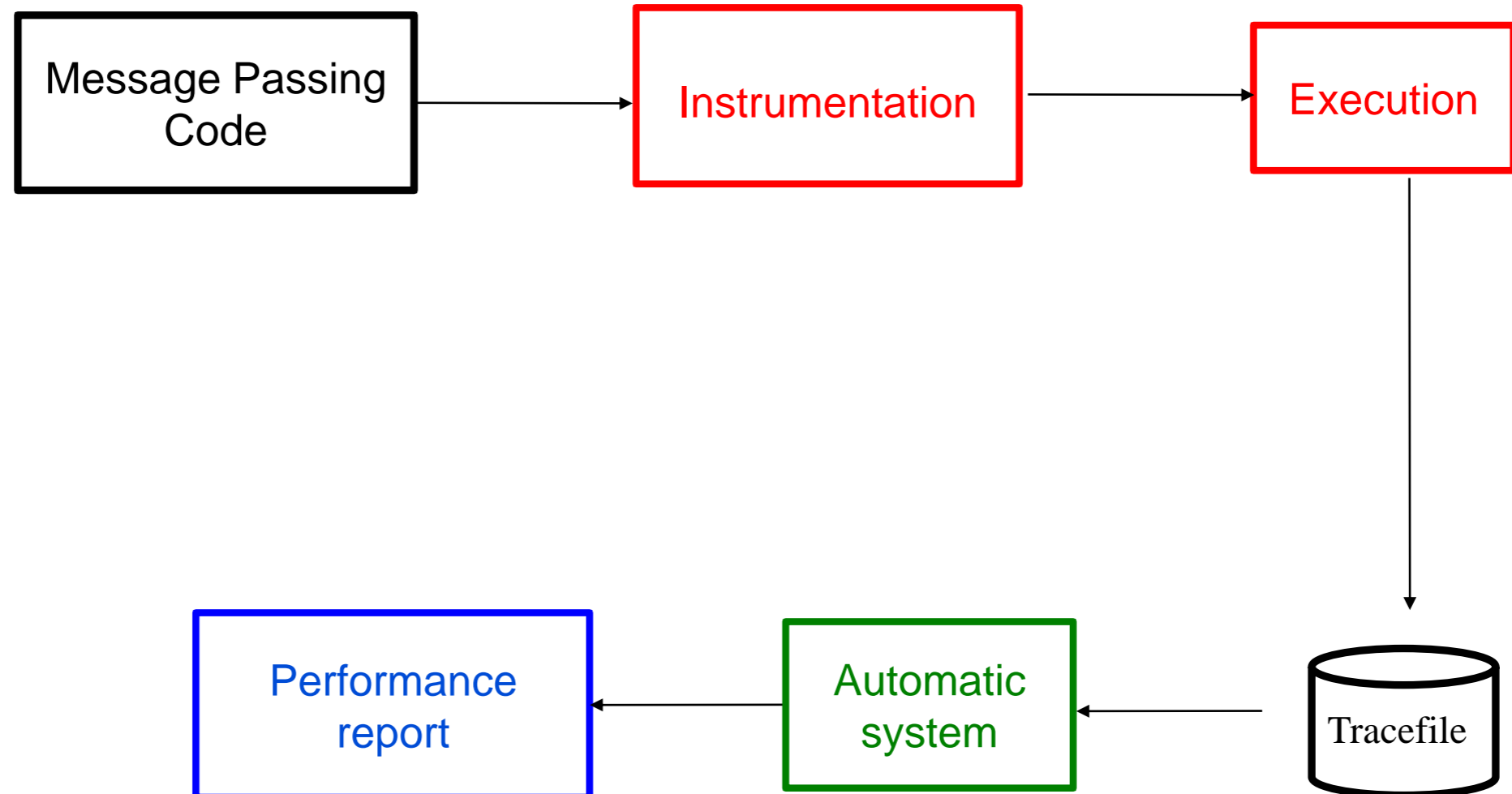
Manual Performance Analysis



Motivation



Related Work

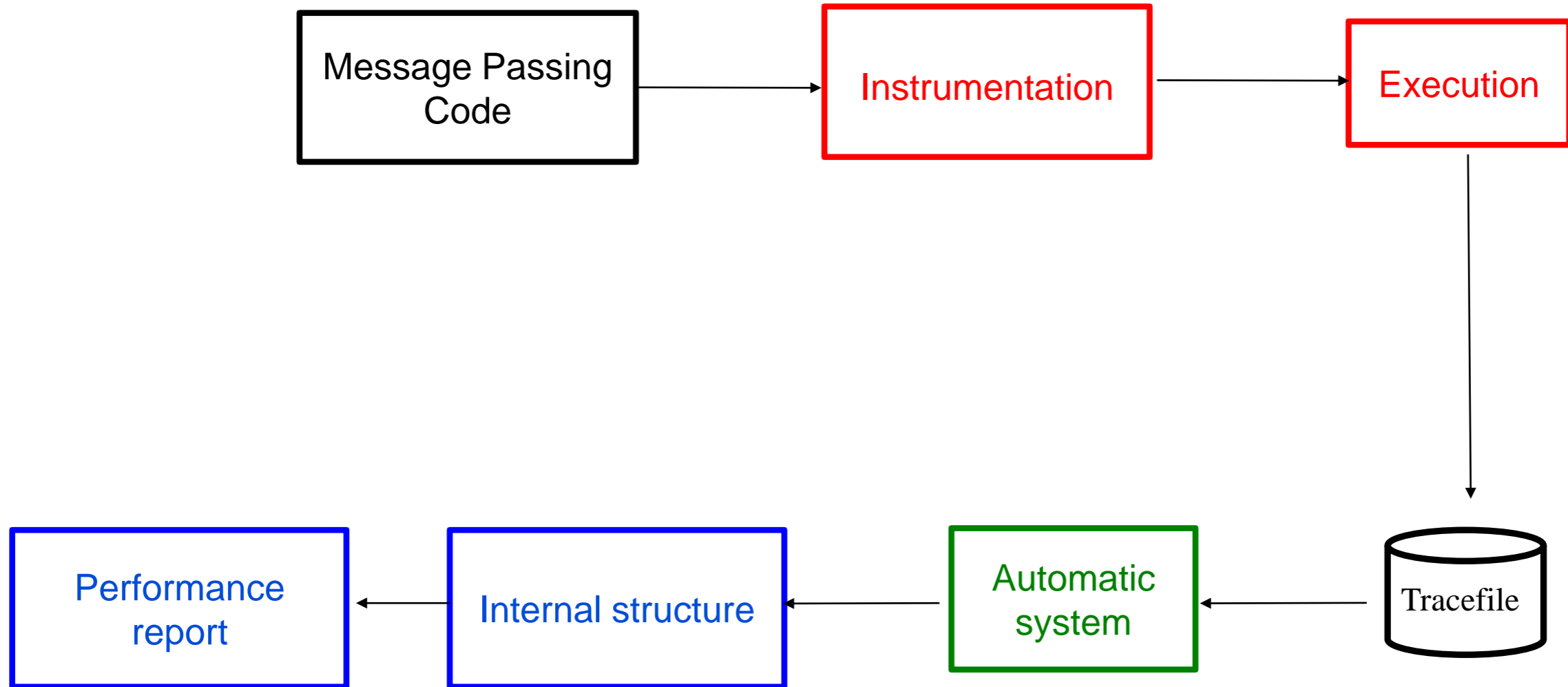


KOJAK, TAU, ...

Motivation



Our Proposal



Analysis of internal structure

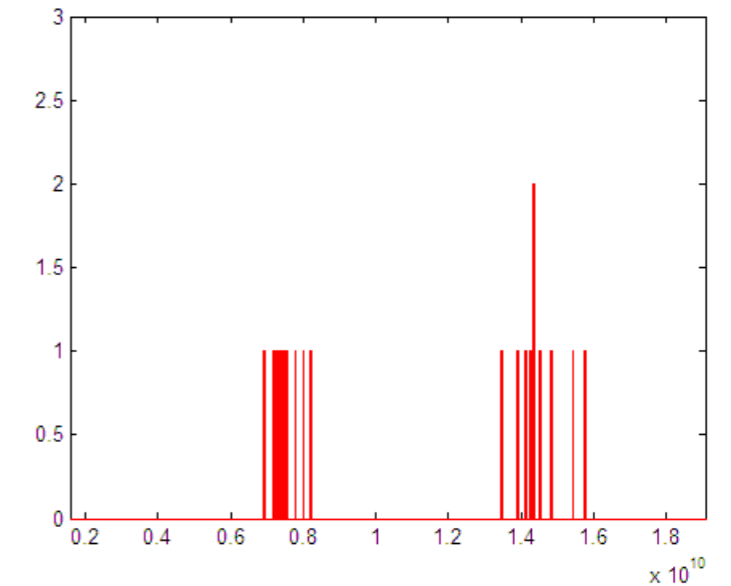


- This analysis has two main phases:
 - Clean – up:
 - Identification of the corrupted regions of the trace file.
 - This phase is important to detect regions which can affect the statistics.
 - Search for Structure:
 - Identification of the internal structure of the trace file.
 - It is important because allows us to identify a small but representative region.

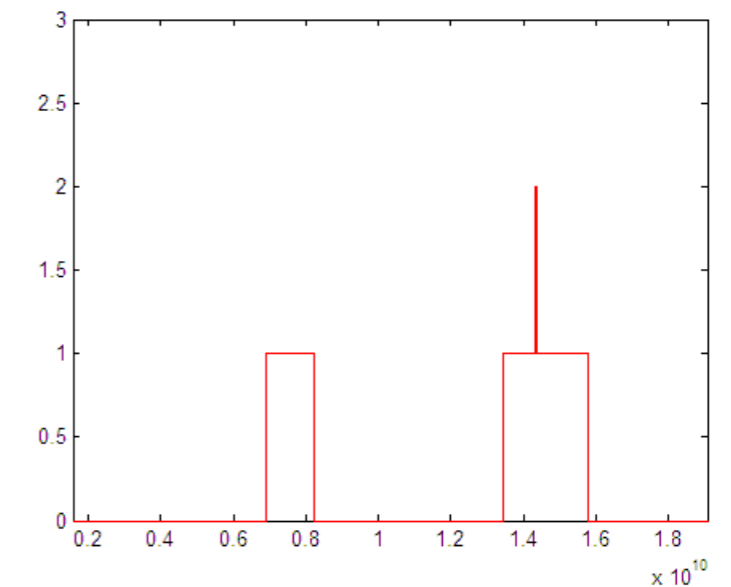
Filtering: perturbed regions



- Applicable to signals such as
 - Flushing processes
 - Cycles/Time (preemptions)
 - #msgs/BW (clogged system)
- Typically, these signals have many small bursts
- Mathematical morphology
 - Non linear filtering: max (Dilation), min (erosion)
 - Merge nearby perturbed regions of sufficient width
 - Discard non-perturbed regions if very small
- Parameter: diameter
 - 1/1000 of application time



Number of processes flushing



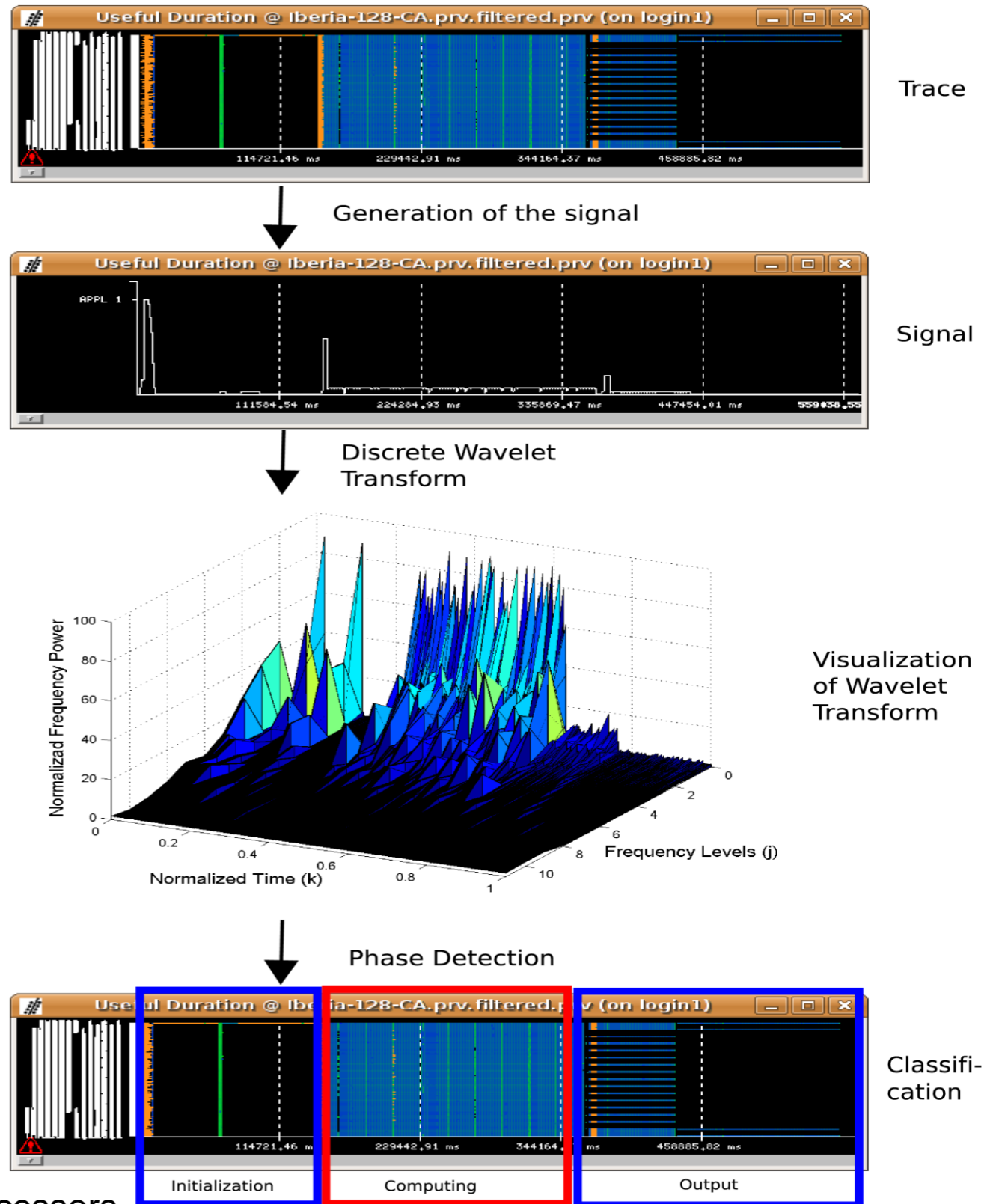
Globally perturbed regions

Execution phases



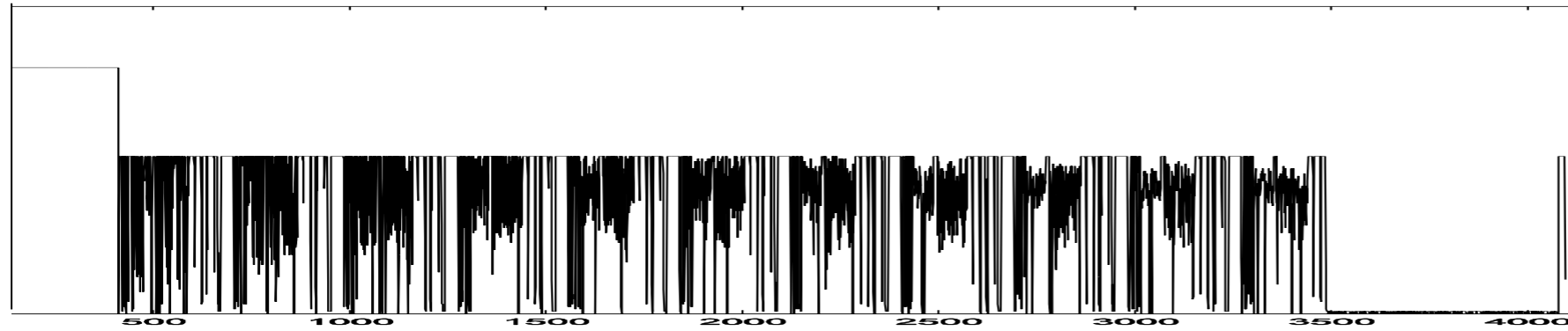
- Main Execution Phases:
 - Initialization: Low Frequency
 - Computing: High frequency
 - Output: Low Frequency

- Wavelet transform
 - Frequency levels ~10
 - High Frequencies at level 0

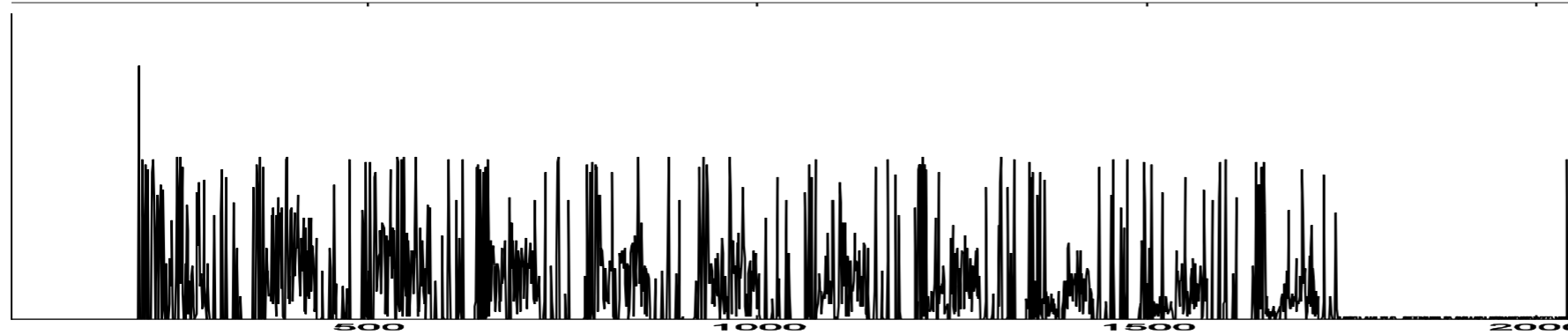


WRF-NMM over a 4 km of the Iberian Peninsula with 128 processors.

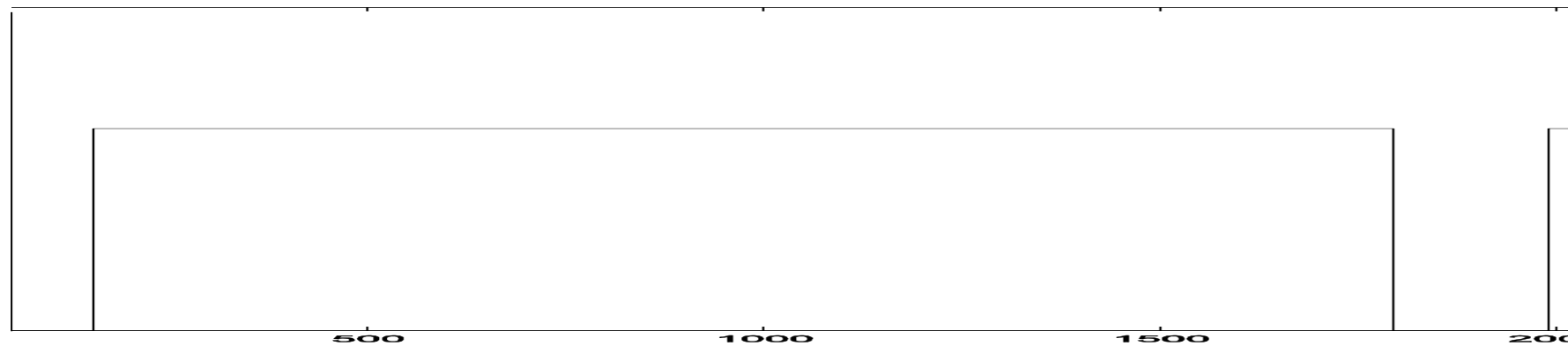
Detection of Computing Phases. Example.



- Input Signal
 - Low Frequency at the beginning
 - High Frequency in the middle



- Fast Wavelet Transform:
 - High Frequency Coefficients

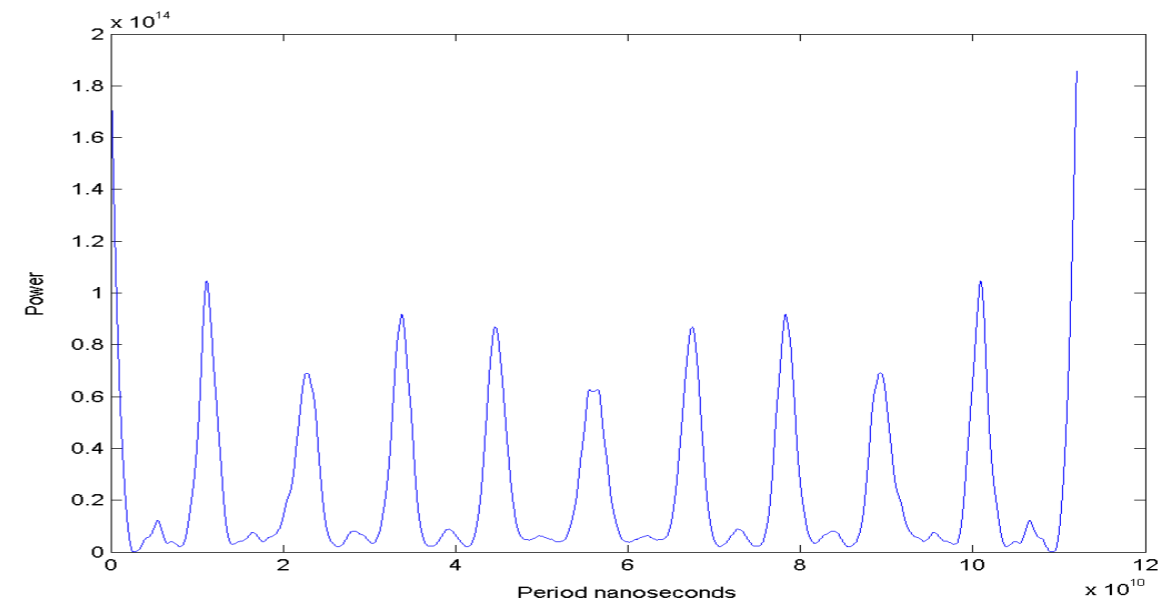
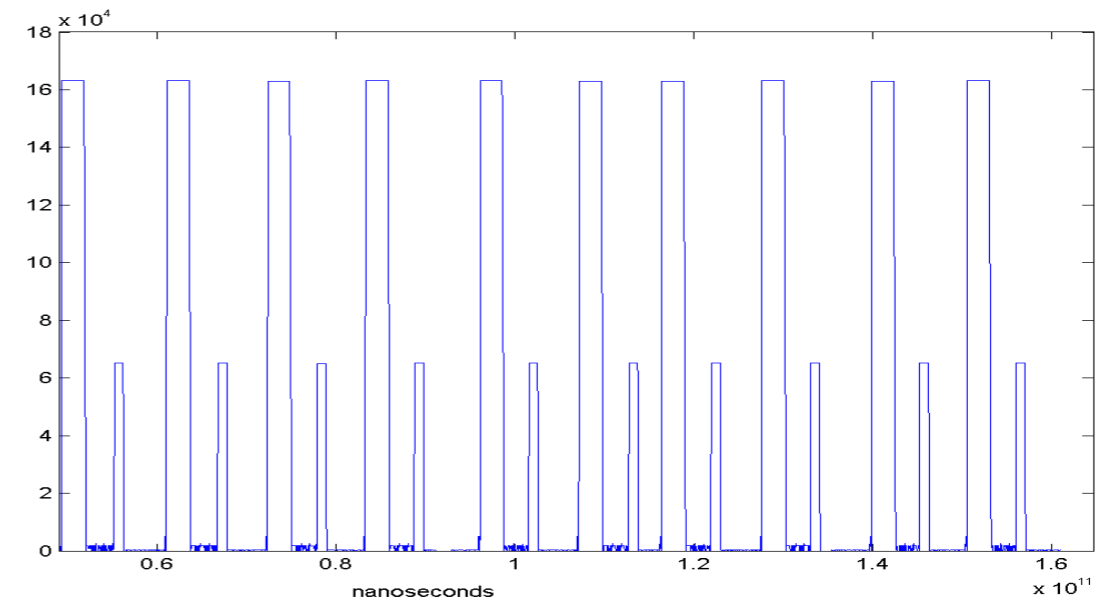


- Selection
 - Closing Operator

Detection of Iterative Patterns



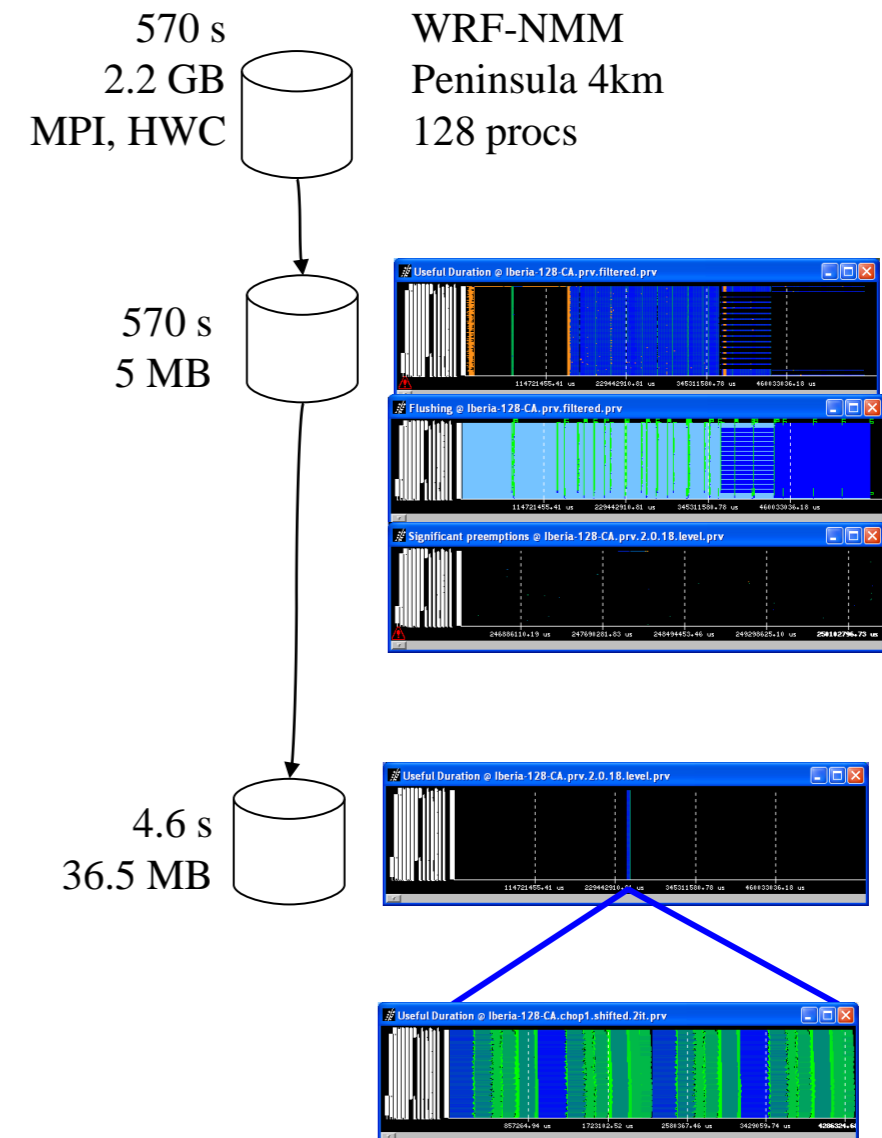
- Compute autocorrelation
- Search for largest local maximum ($\neq 0$)
- Refinement criteria in case of multiple non harmonic maxima of similar magnitude
 - Within 90%
 - Filter high frequencies and repeat (trying to identify large periodic patterns)
- Cross-correlation to detect several representative iterations



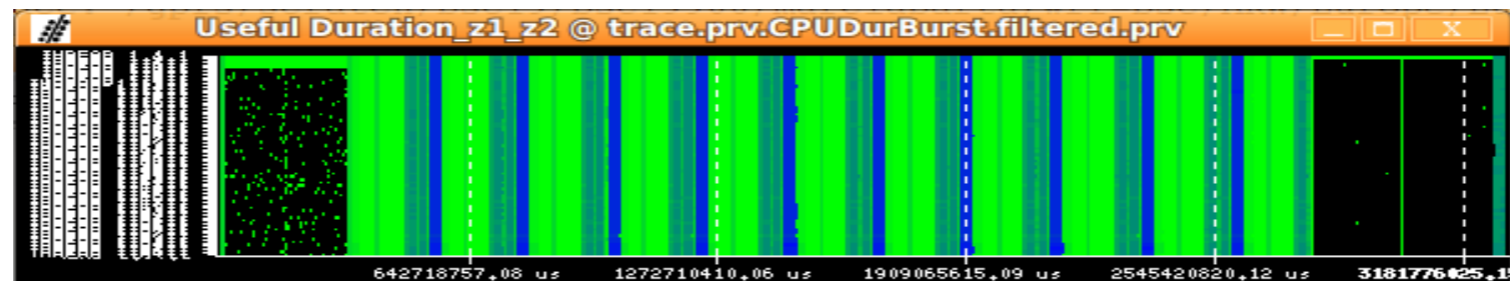
Summary of the Methodology



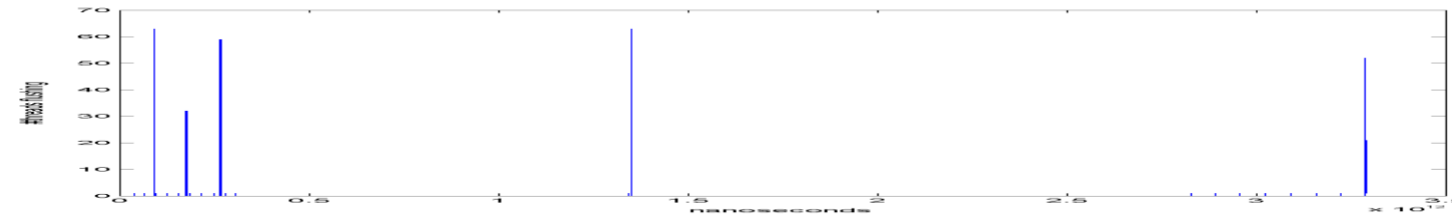
- Generation of metrics.
 - Flushing, number of processes computing, etc...
- Application of signal processing techniques:
 - Mathematical morphology to clean up perturbed regions.
 - Wavelet transform to identify high-frequency regions.
 - Autocorrelation analysis to detect detailed periodic patterns.
 - Cross-correlation to detect representative iterations.
 - Automatically generate a representative subtrace of a few iterations.
- Recursion to detect hierarchical structure.



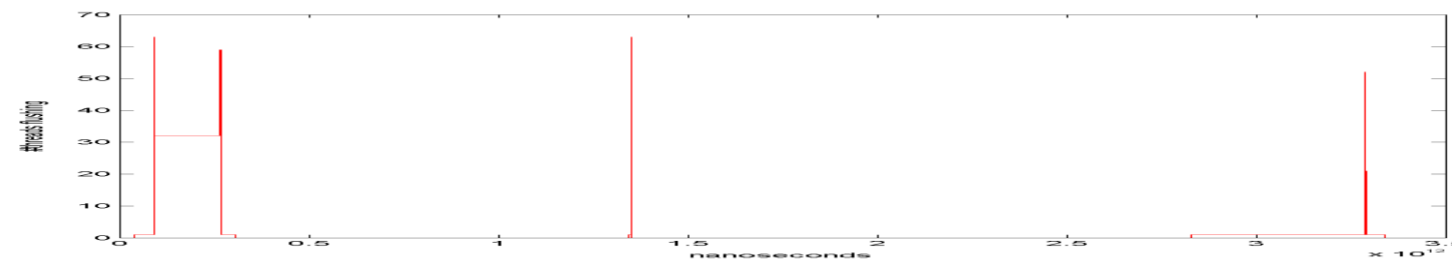
An Example (CPMD)



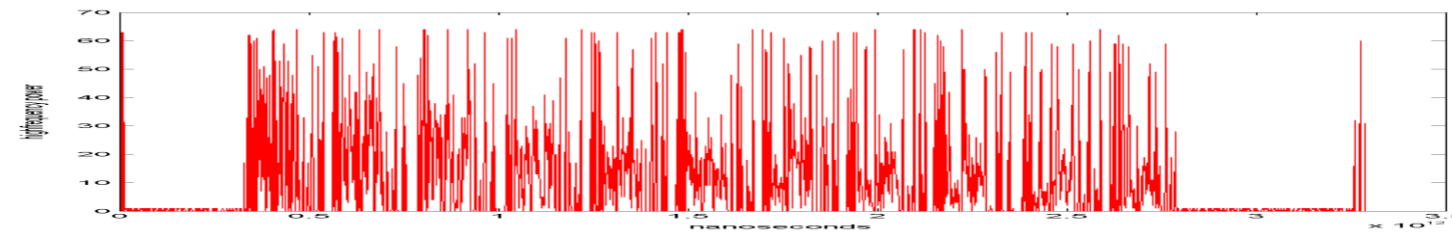
Flushing



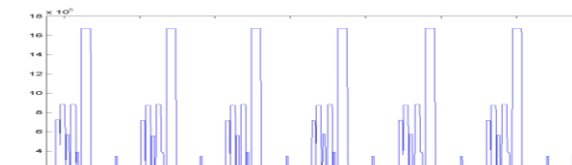
Flushing filtered



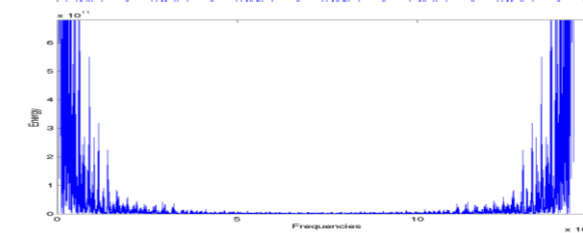
Wavelet
high frequency



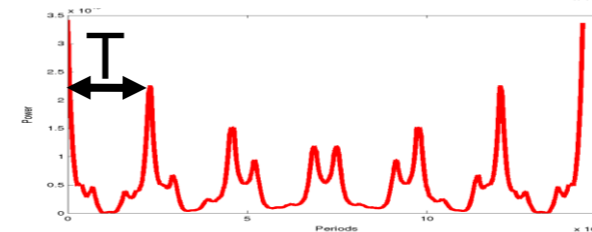
Σ Useful Duration



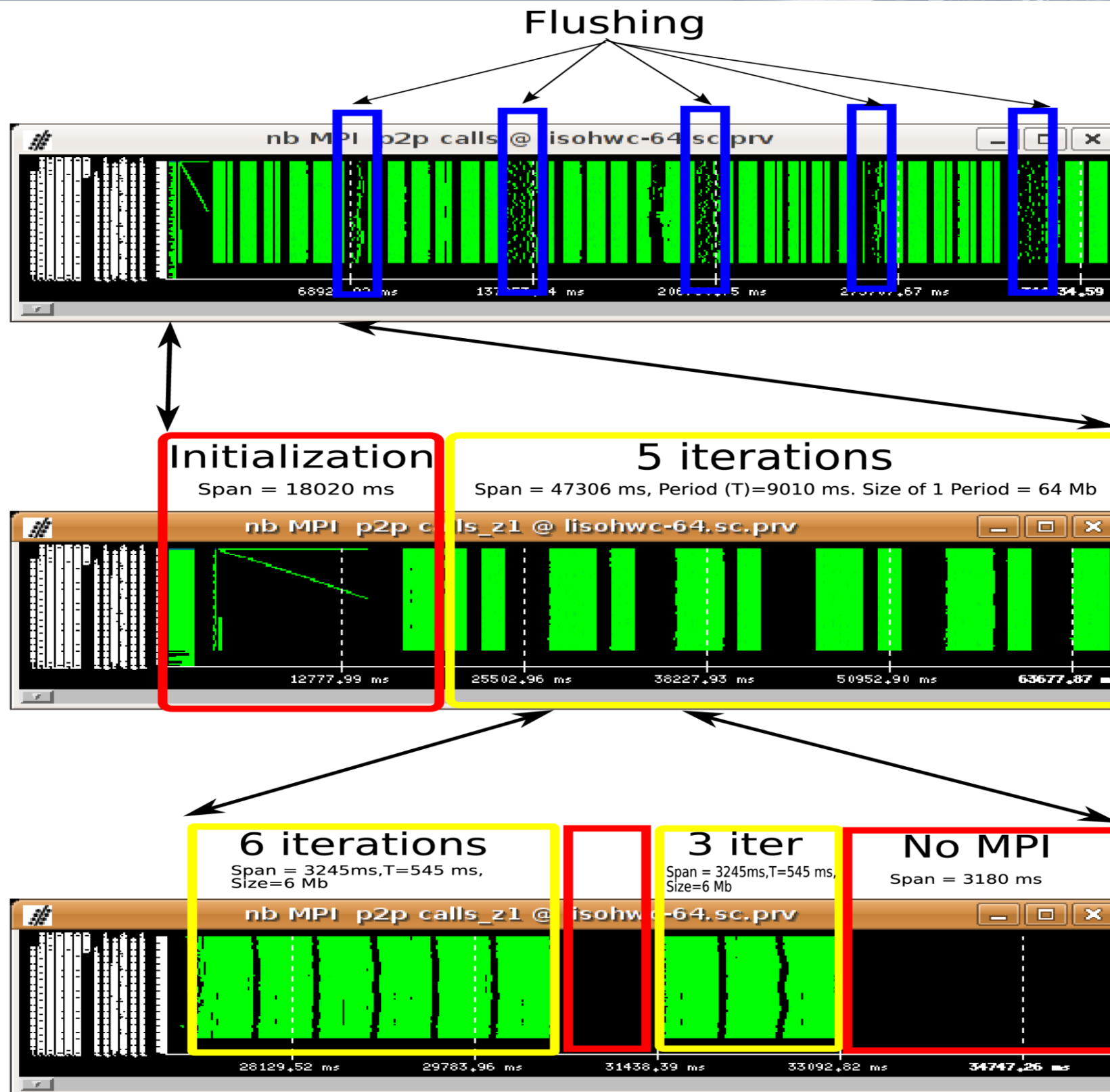
Spectral density



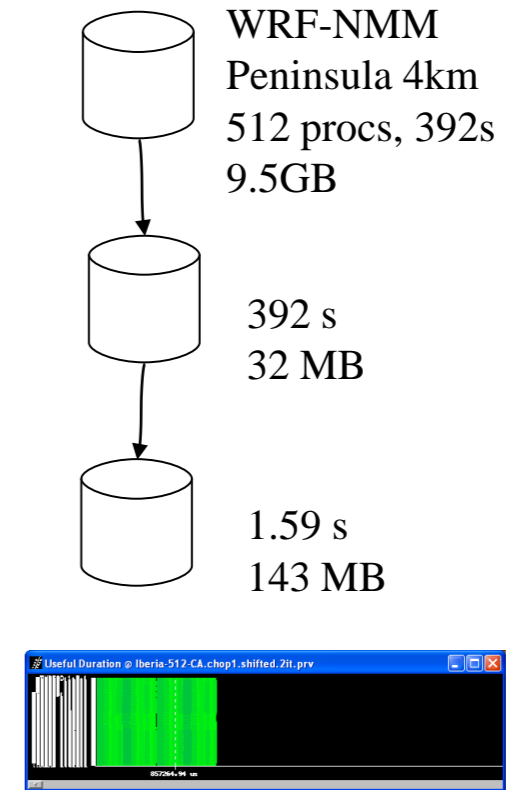
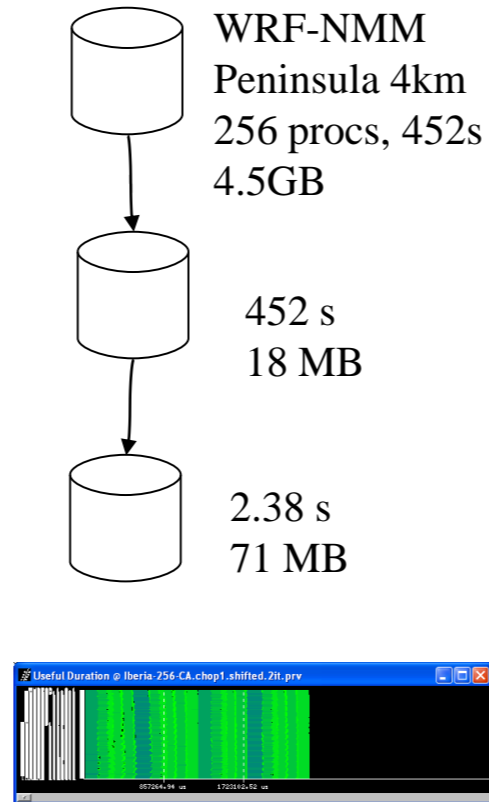
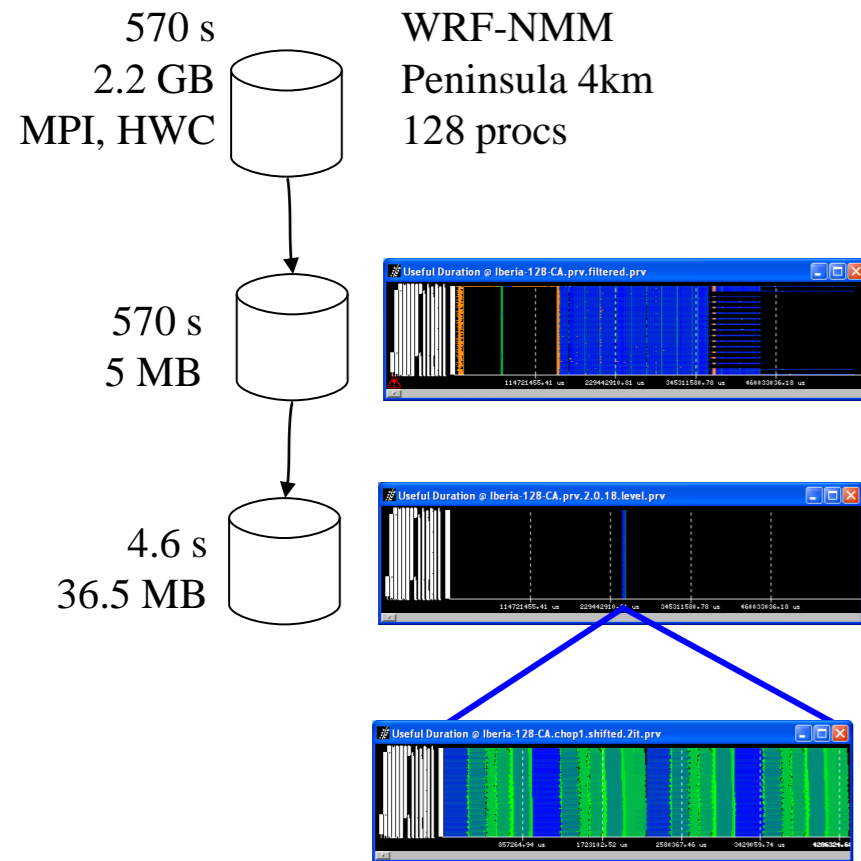
Autocorrelation



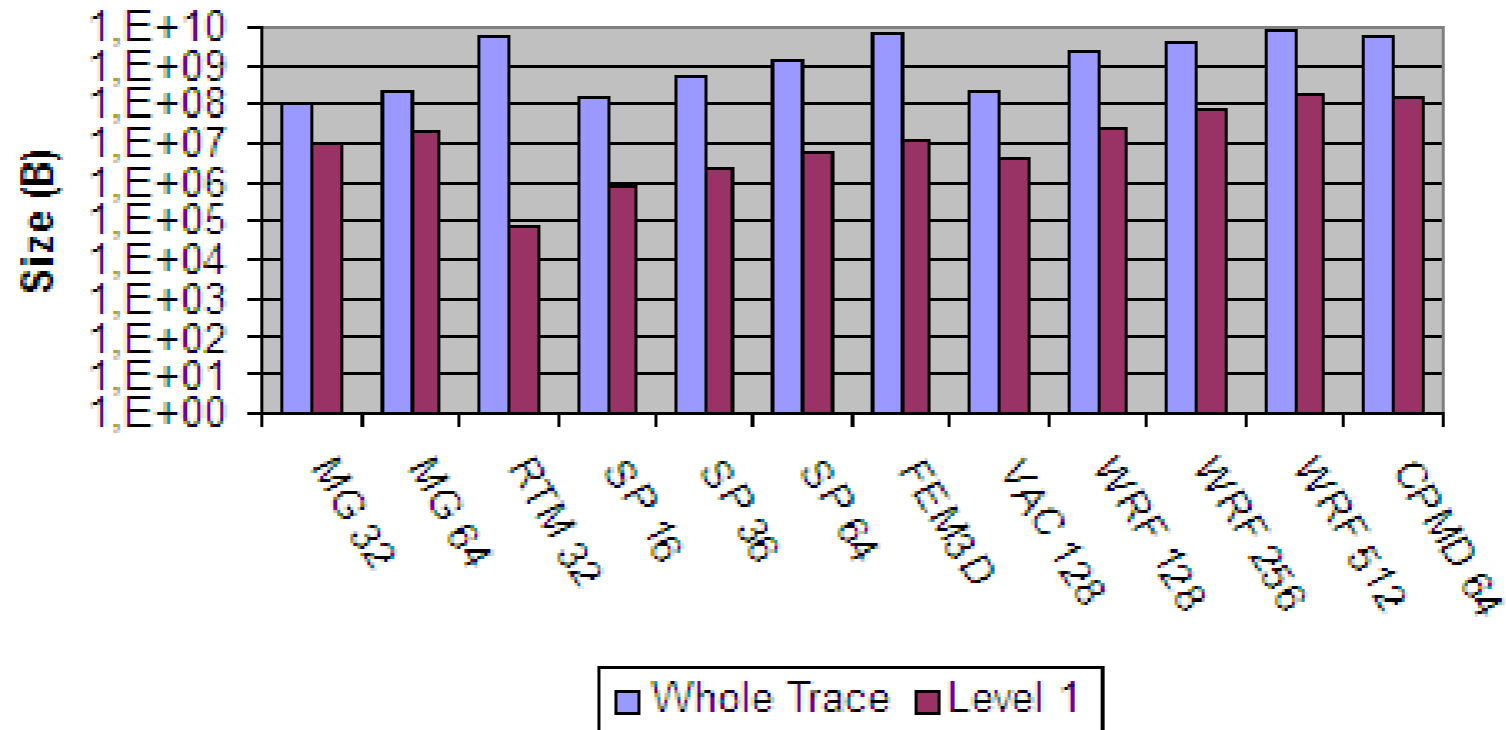
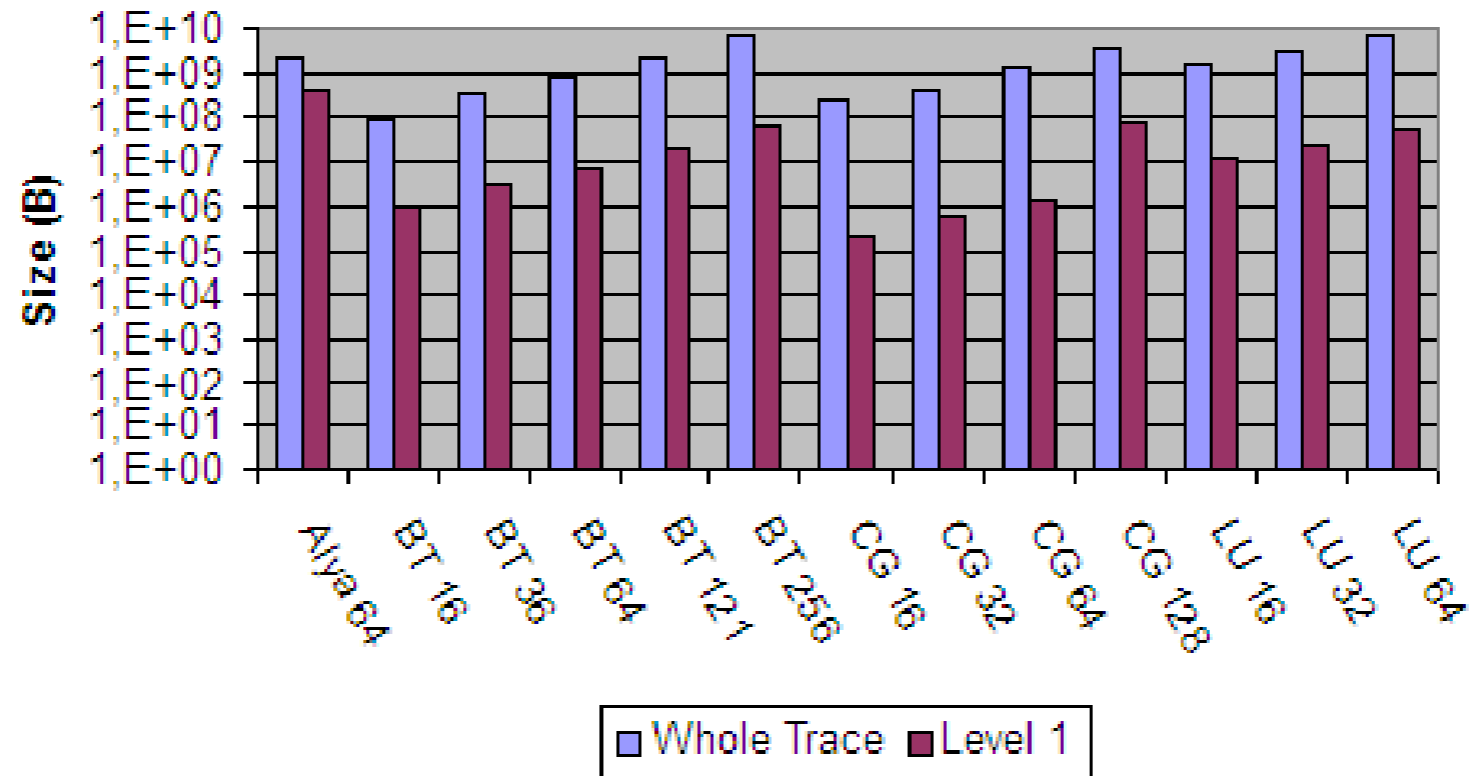
Results: Example of Complete Application Structure



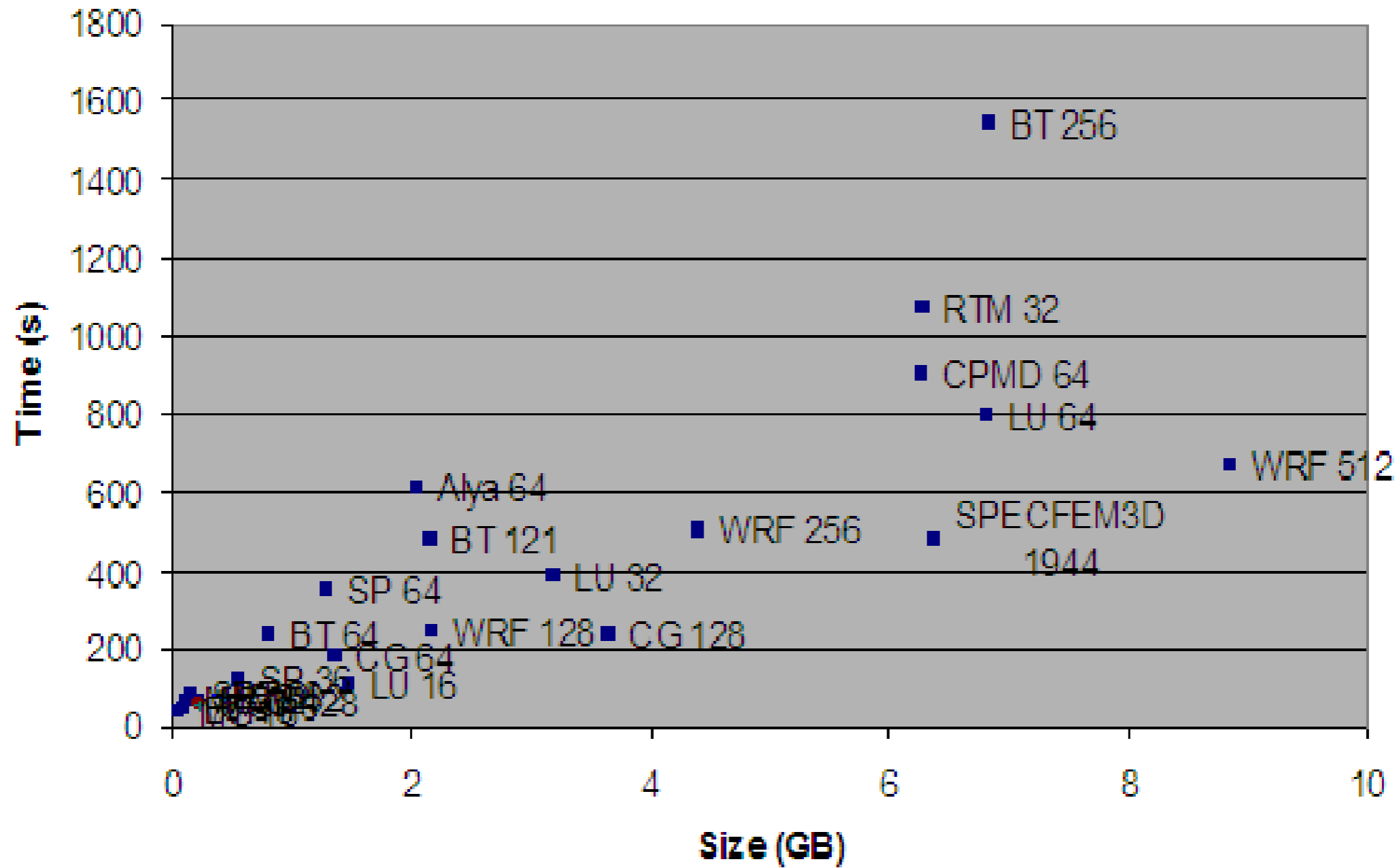
Results



Results. Size Reduction.



Results. Scalability of the Analysis.



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Multiplexing Hardware Counters

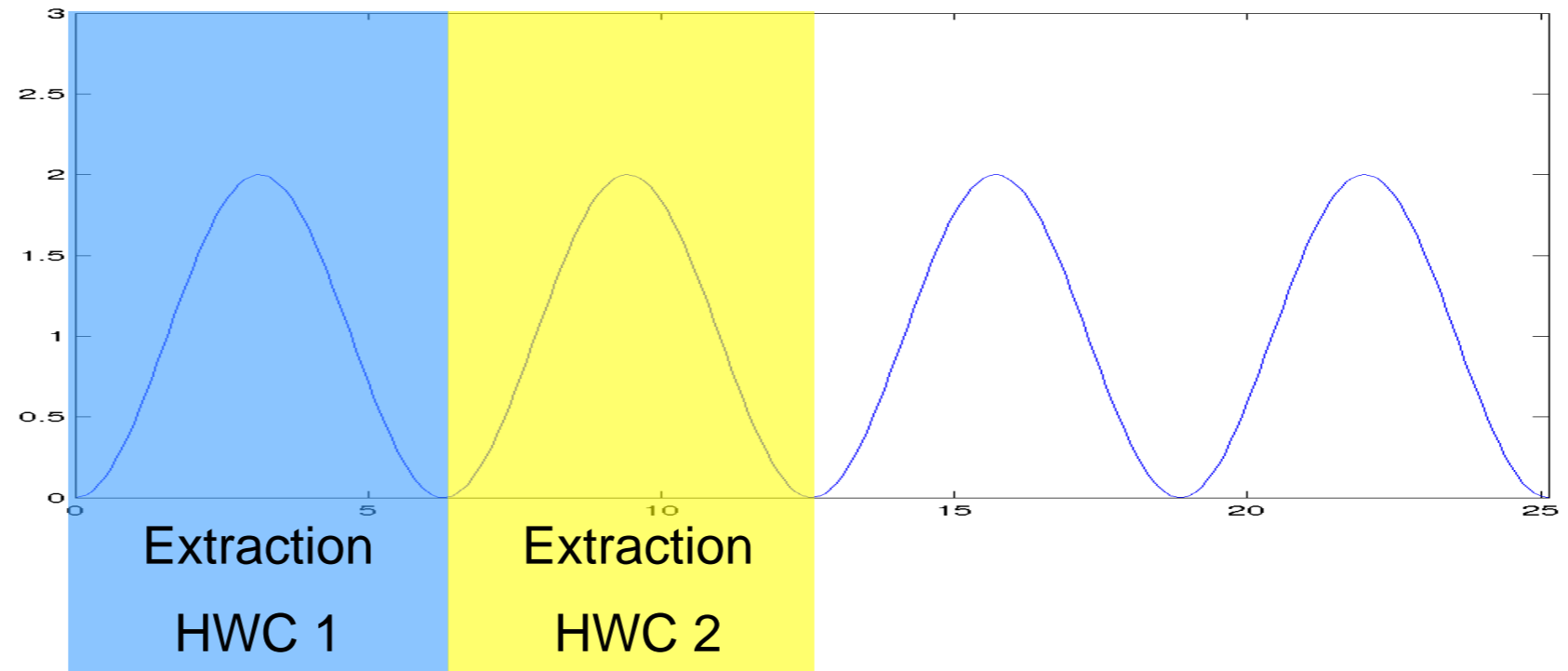


- Multiplexing hardware counters is a technique that makes possible to extract values of several incompatible hardware counters from a single run.
- This technique requires the user to provide with the sampling time slice for multiplexing.

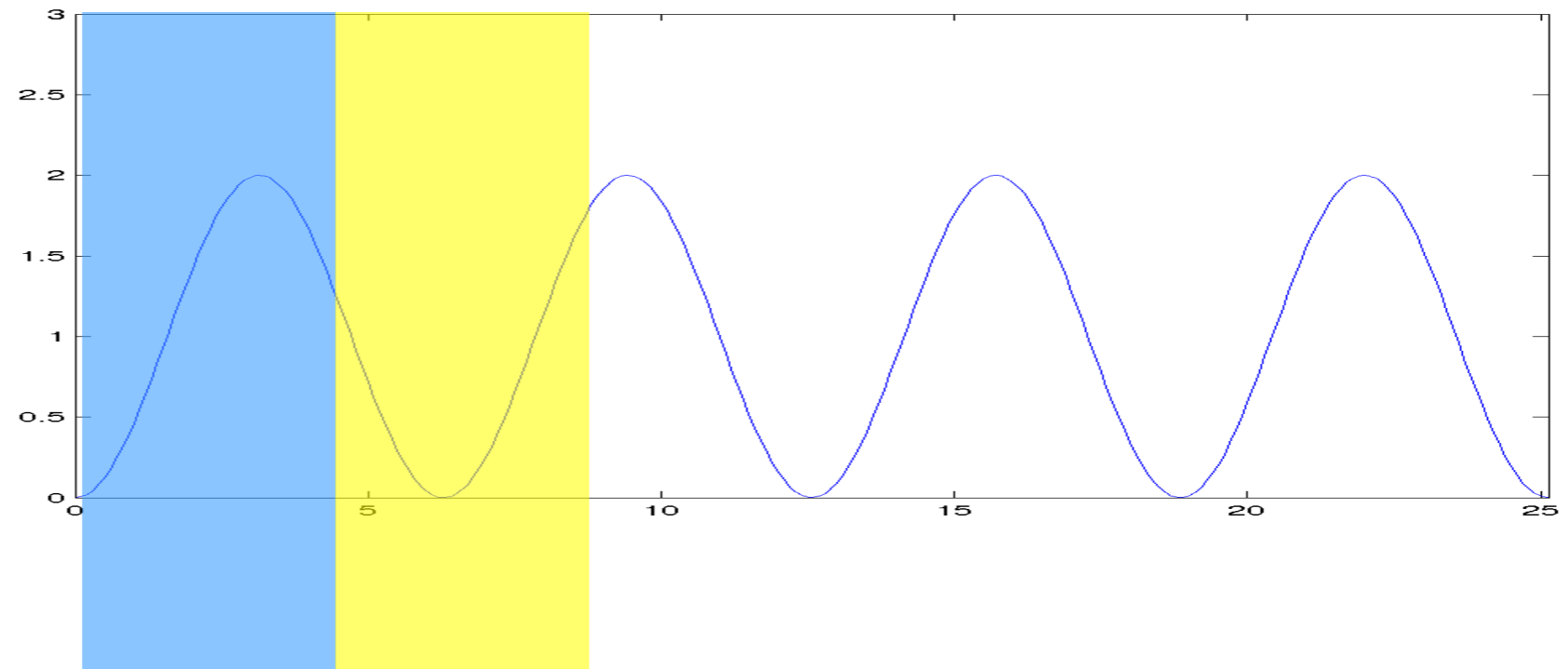
Multiplexing Hardware Counters



- We use the length of one iteration as the sampling time slice for multiplexing.



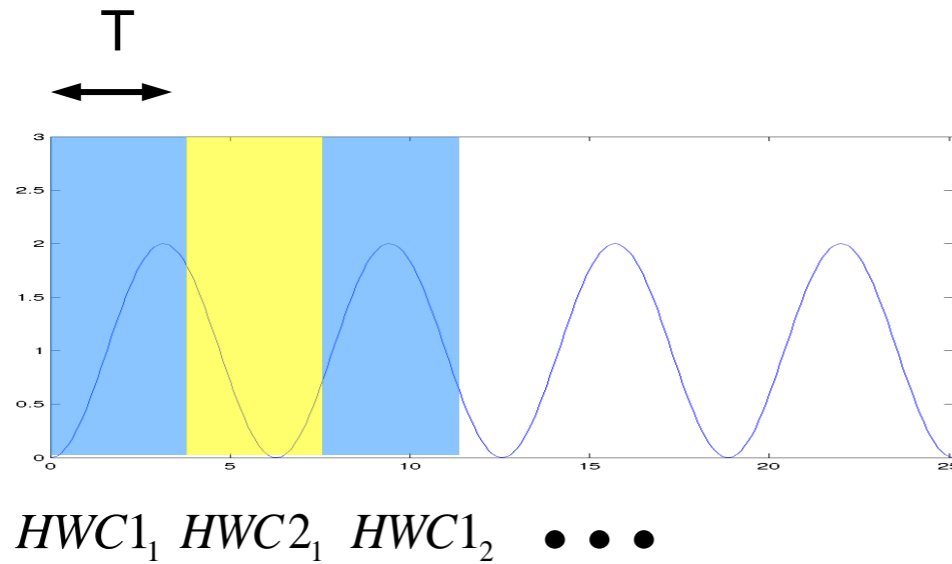
- We compare the accuracy of results obtained by different lengths.



Impact of Sampling Time

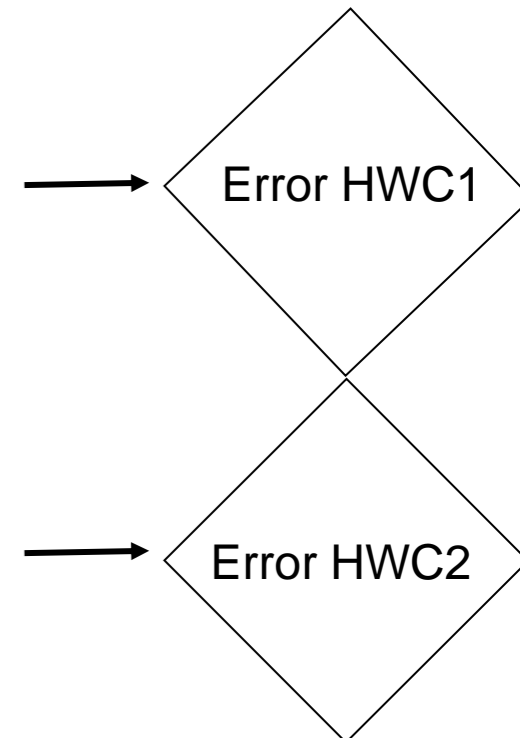


Sampling length T

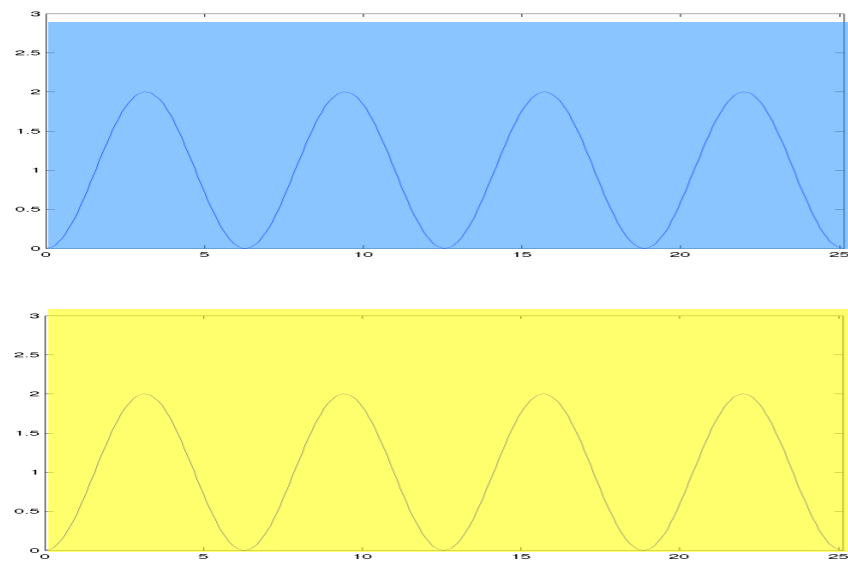


$$AverageHWC1 = \frac{\sum_{i=1}^n HWC1_i}{n}$$

$$AverageHWC2 = \frac{\sum_{i=1}^n HWC2_i}{n}$$

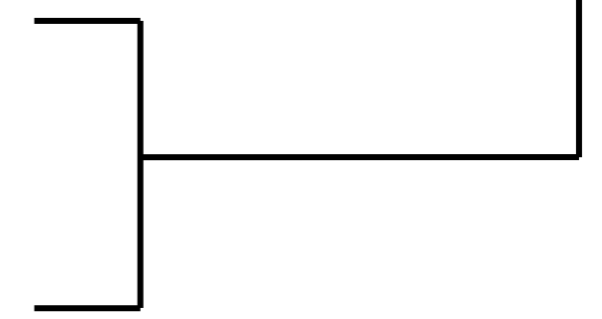


Executions without multiplexing

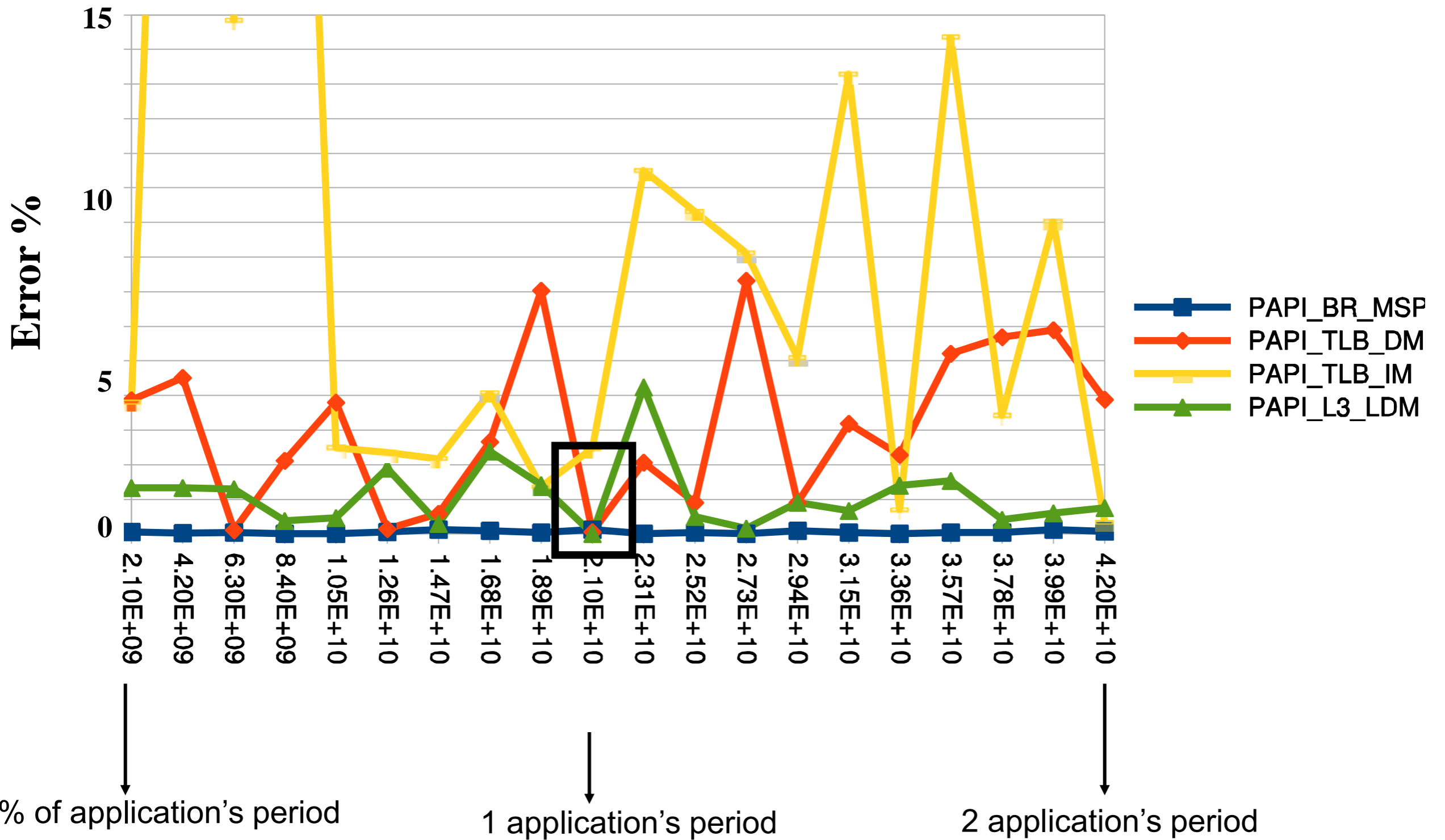


Global Average Value HWC1

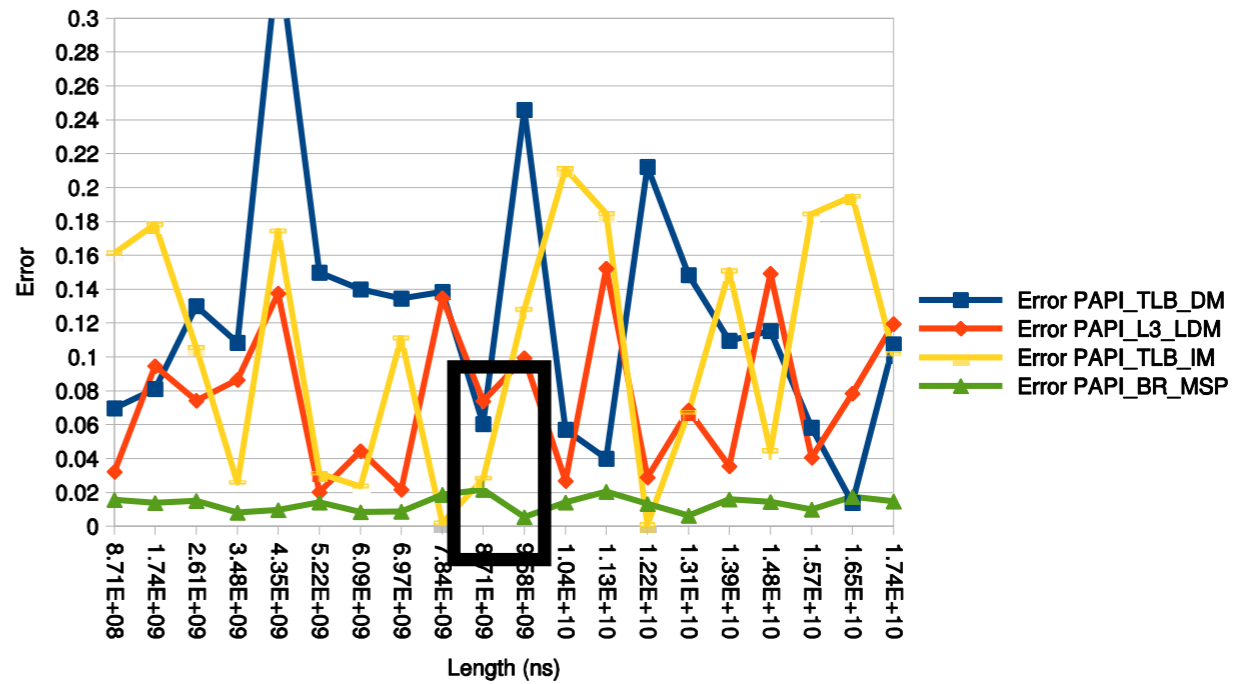
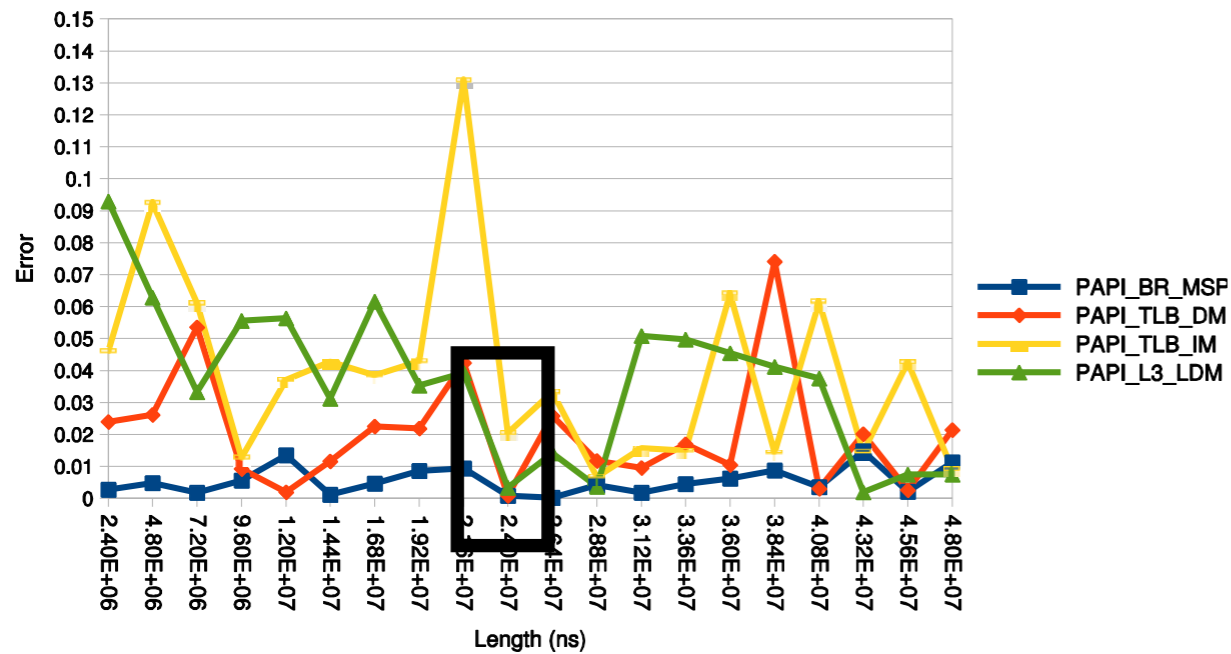
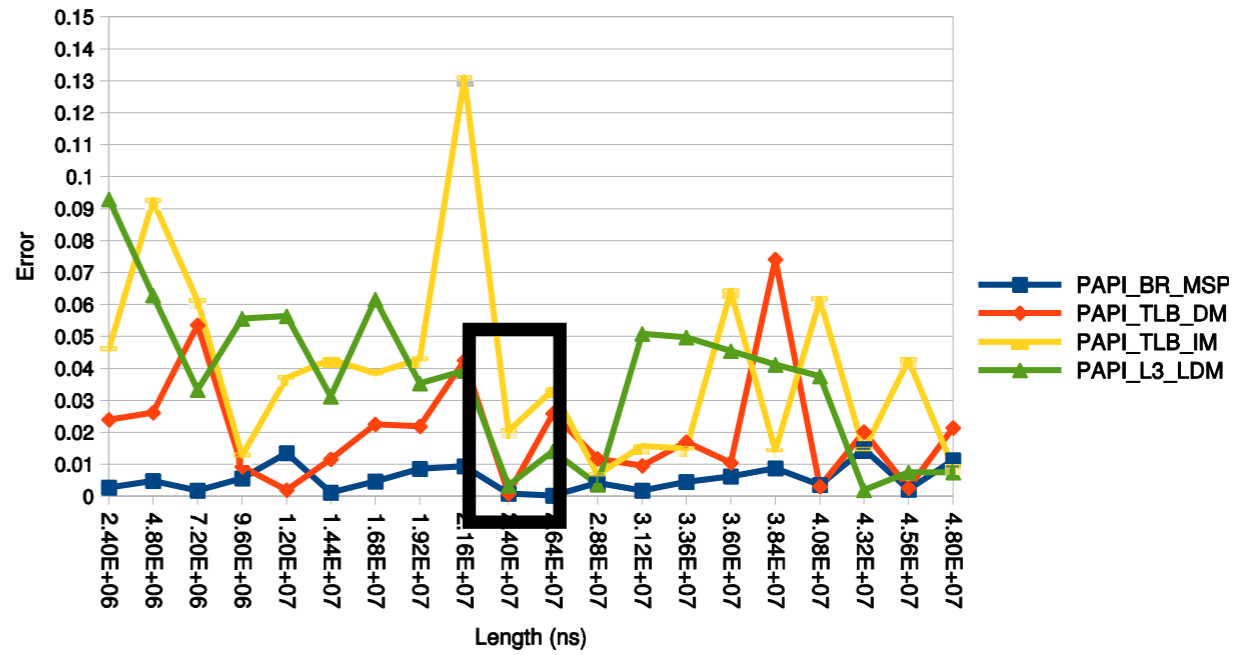
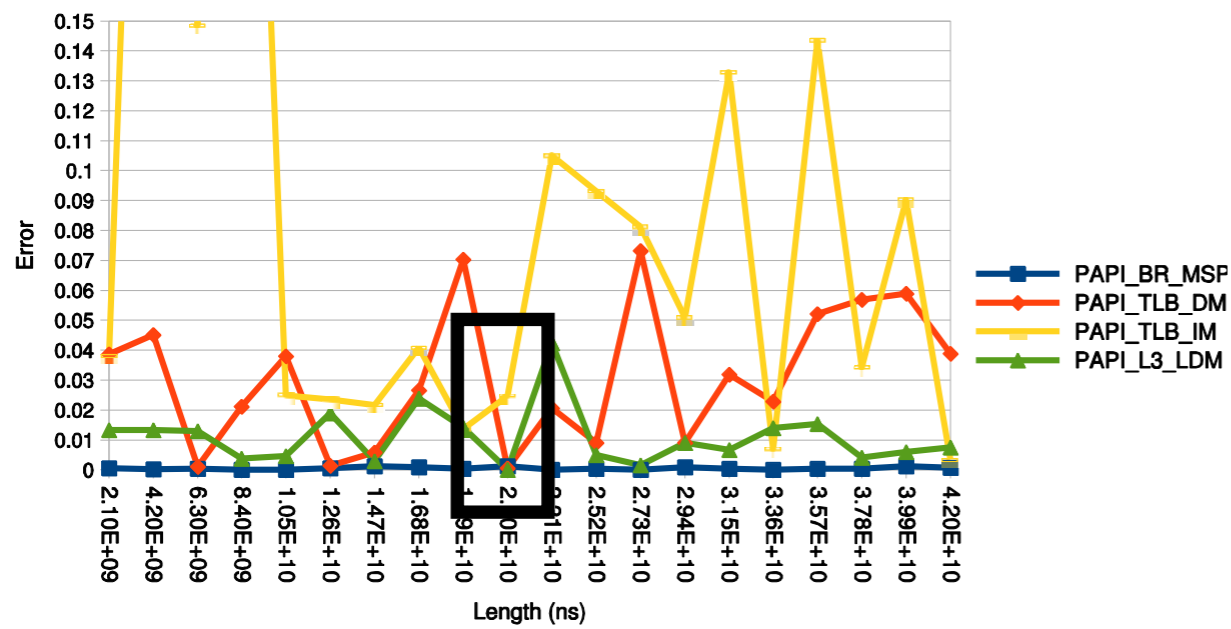
Global Average Value HWC2



Multiplex HWC. H264ref.



Multiplex HWC. H264ref, Libquantum, Namd , Milc



Outline



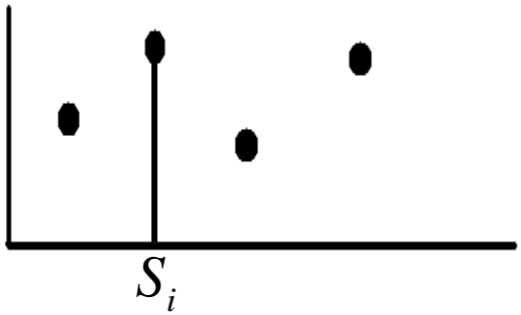
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SimPoint Scheme



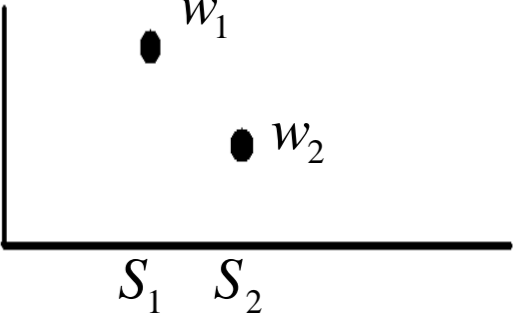
Complete Instruction
Level Simulation

Sampling
(Period T)
Blindly Selected



BB(i)(j)
Metric(i)

Selection of
Representatives
(Clustering, ...)



Representatives

Global Value Metric 1
Global Value Metric 2
...

Local Value Metric 1
Local Value Metric 2
...

Errors

Selection Techniques



- Simpoint uses three techniques to select the representatives:
 - MultipleSimPoint, uses clustering.
 - SingleSimPoint, consists on taking the closest point to the average.
 - LongSimPoint, consists on taking several consecutive points. Such points are the closest ones to the average.

Impact of Sampling Period (T)



Complete Execution

Sampling
(Period T)

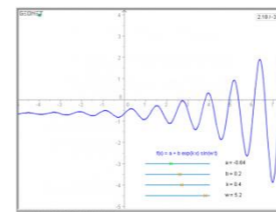
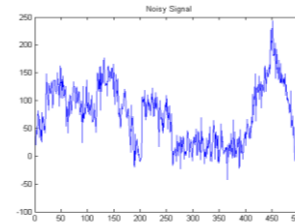
hwc 1

hwc 2

...

Global Value Metric 1
Global Value Metric 2

...



Selection of
Representatives
(Clustering, ...)

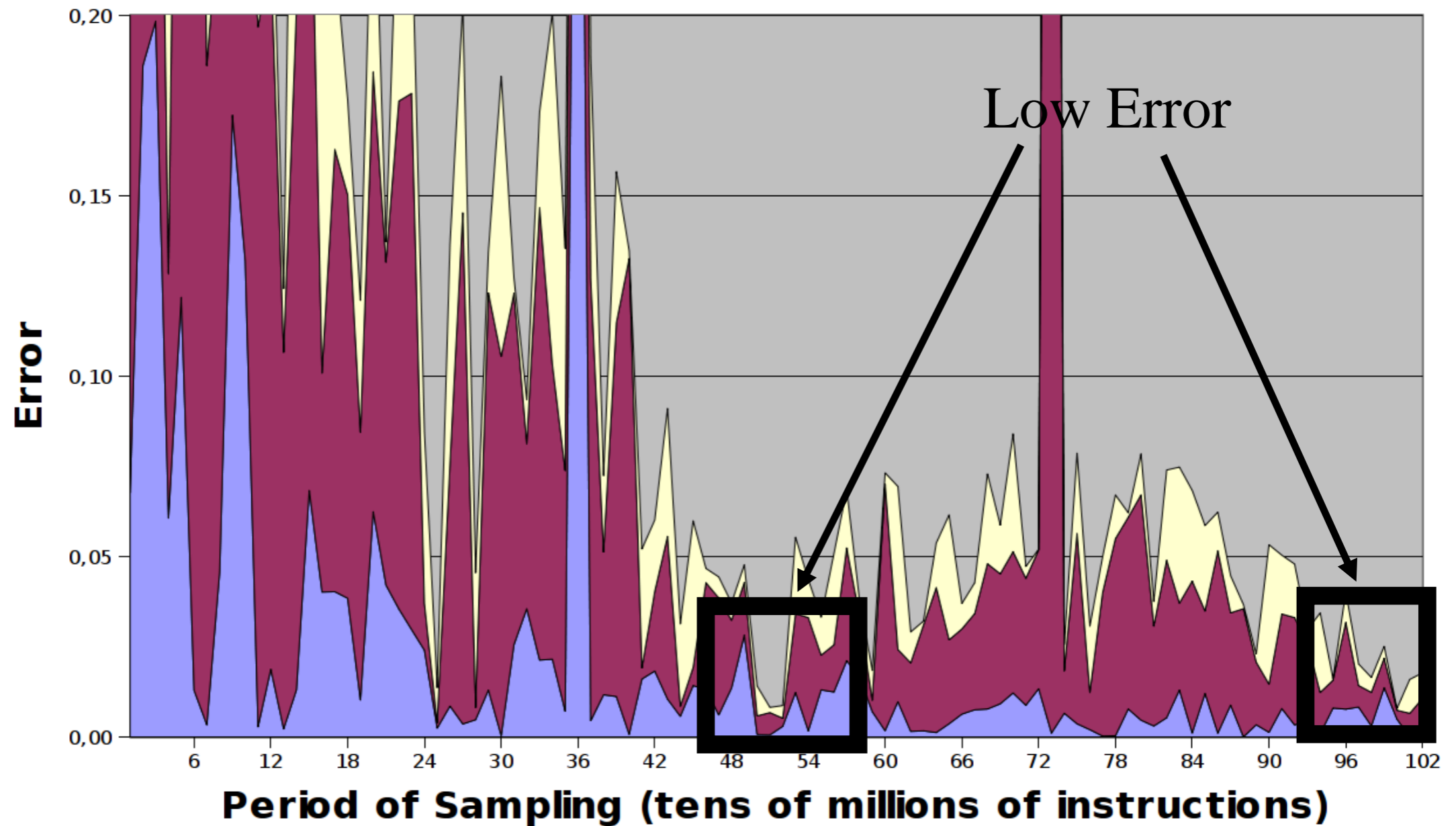
Representatives

Local Value Metric 1
Local Value Metric 2

...

Errors = $f(T)$

Impact of Sampling Period (T). Results. Applu (SPEC 2000)



- LongSimPoint
- SingleSimPoint
- MultipleSimPoint

LSP SSP MSP

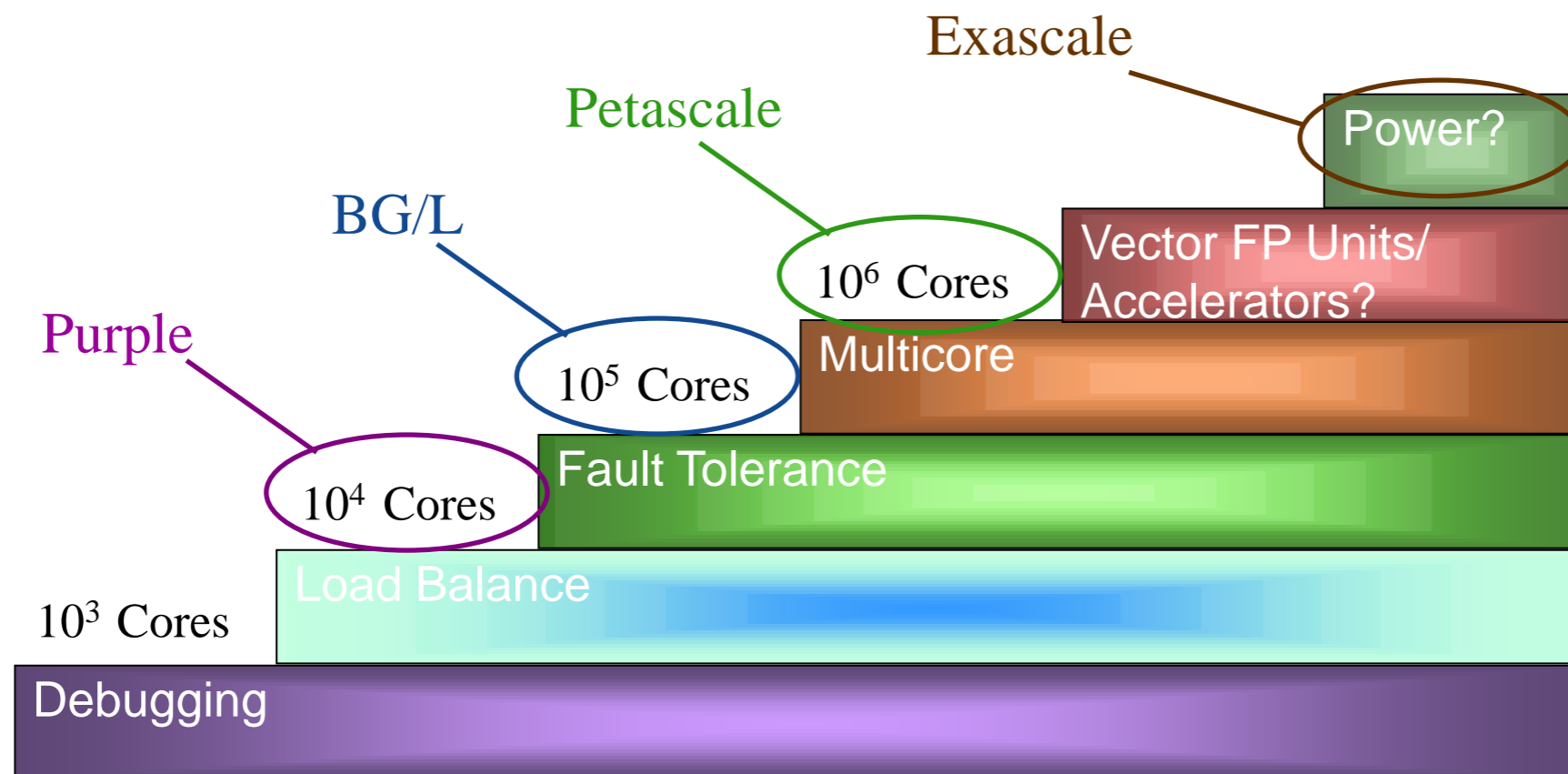
Better accuracy as large is the representative.
Better accuracy matching application period.

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The Road to Exascale: A General Perspective





Questions?